

# Improving Durability of Turbine Components Through Trenched Film Cooling and Contoured Endwalls

*DOE Award Number DE-FE0005540*

*UTSR Project Number 07-01-SR127*

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**UTSR Workshop, October 2-4, 2012**



# Tasks completed this year for the University of Texas and Penn State

Design and test realistic trench configuration embedded in TBC

Completed Q5-6

Determine the effect of depositions on overall cooling effectiveness with trench configurations

Completed Q7

Develop conducting endwall model

Completed Q5-6

Measure overall effectiveness with and without film cooling

Completed Q7



# Measurement of $\phi$ requires a matched Biot number model

A simplified 1-D analysis using  $T_{aw}$  as the driving temperature shows:

$$\phi = \frac{T_{\infty} - T_w}{T_{\infty} - T_{c,i}} = \frac{1 - \chi\eta}{1 + Bi + \frac{h_f}{h_i}} + \chi\eta$$

where

$$Bi = \frac{h_f t}{k}$$

$h_f$  = heat transfer coefficient with film cooling

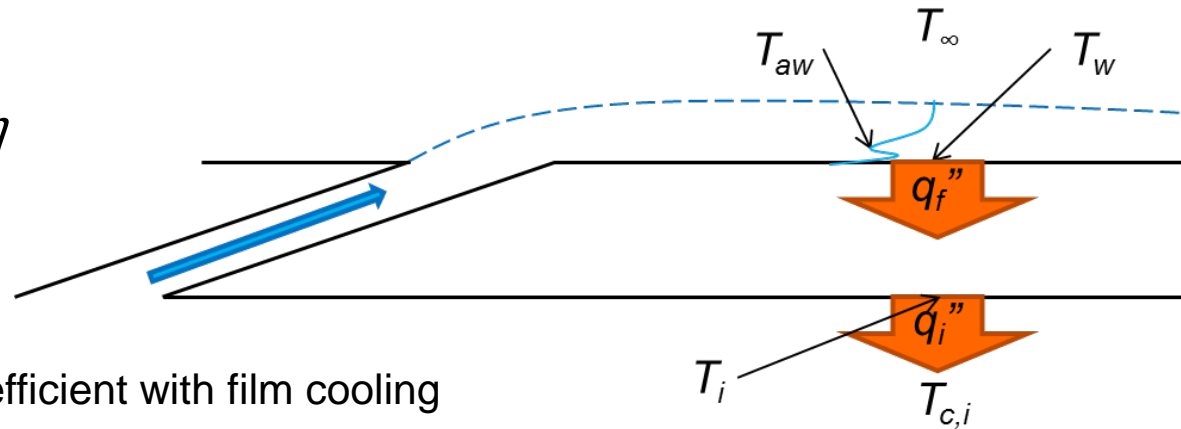
$t$  = wall thickness

$k$  = conductivity of the solid

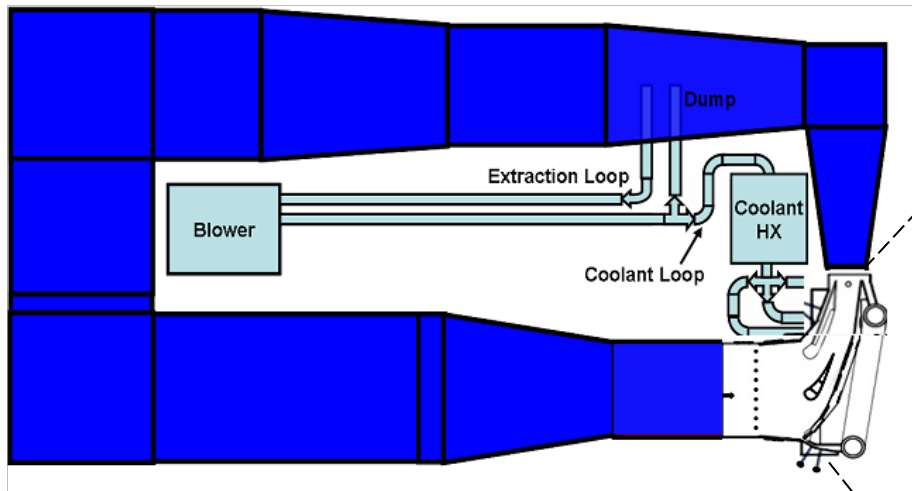
$$\chi = \frac{T_{\infty} - T_{c, \text{hole exit}}}{T_{\infty} - T_{c, \text{vane inlet}}}$$

It is also important to match  $h_f/h_i$ , the ratio of internal to external heat transfer coefficients. Though the magnitudes of both are much lower, the ratio is the same.

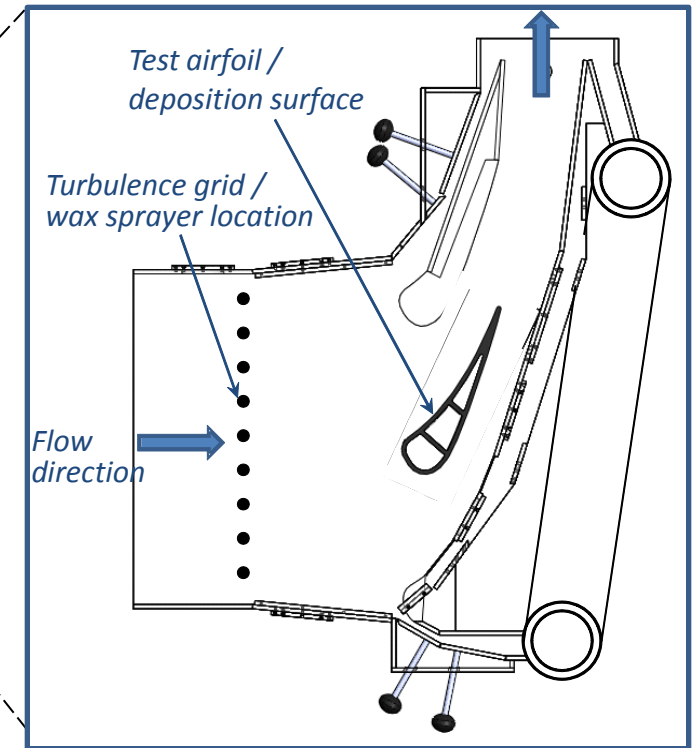
Matching these nondimensional parameters to engine conditions will result in engine-like results for  $\phi$ .



# Experiments were conducted to investigate effects of TBC and contaminant depositions on film cooling performance for a vane.

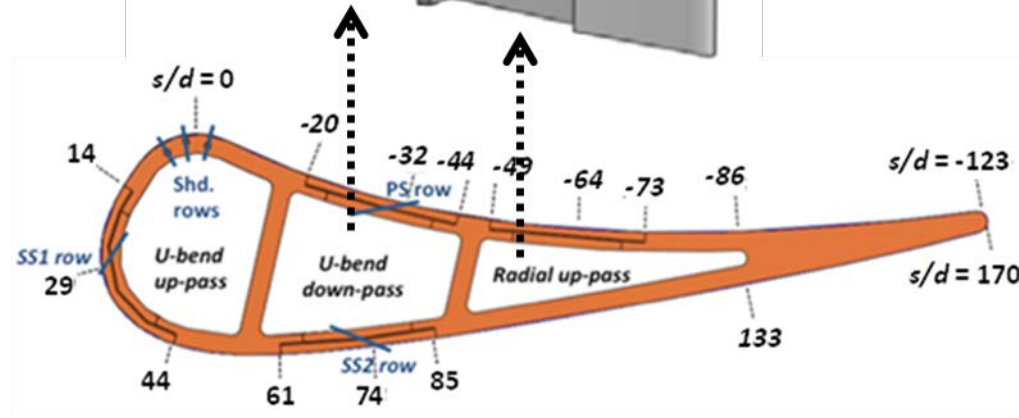
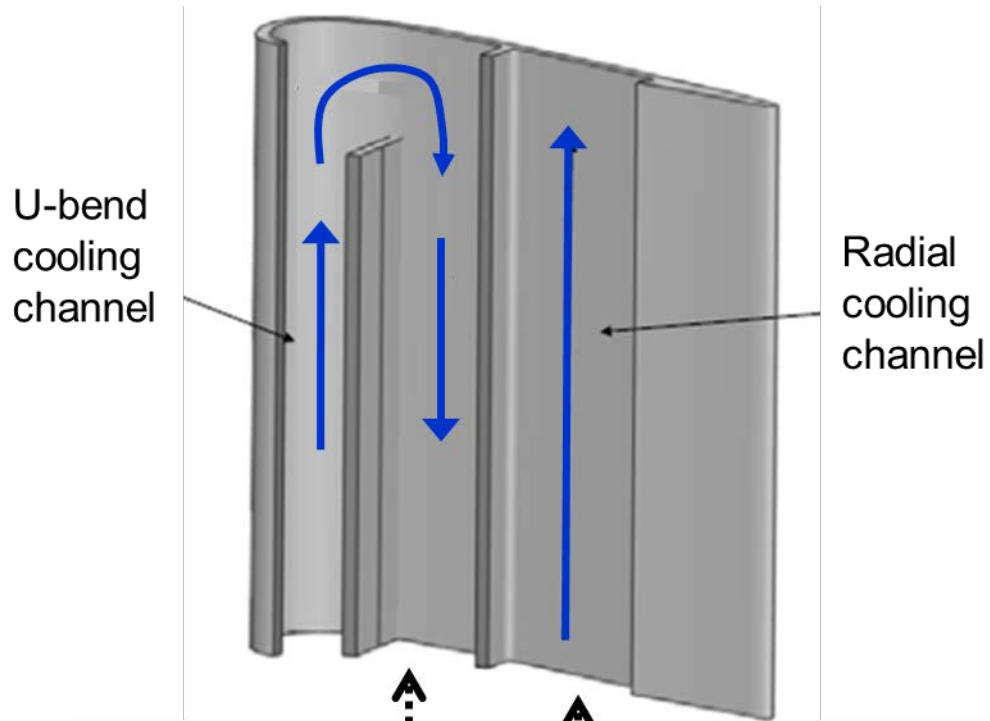
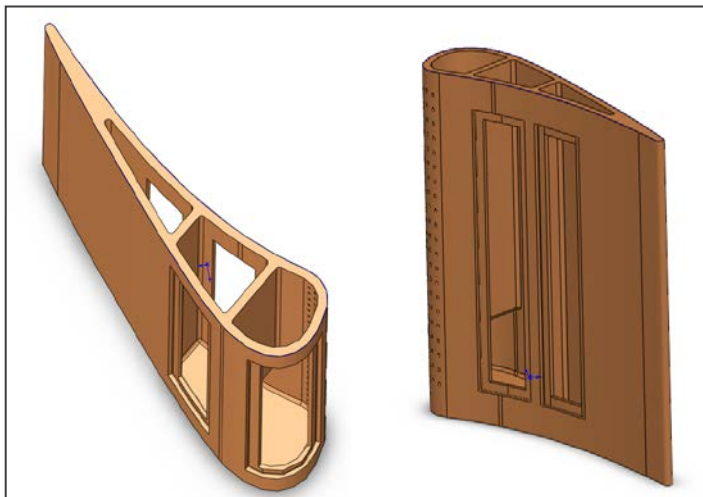


Test section:



- Performance was quantified in terms of overall effectiveness.
- Multiple hole geometries were investigated.

# Schematics of the internal cooling configuration for the vane models:

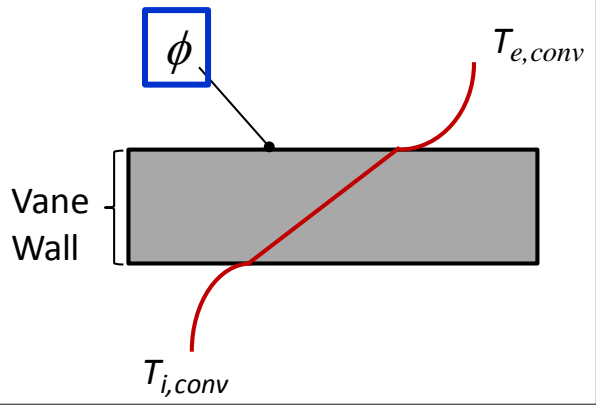


Model vane is designed to match thermal behavior of real vane.

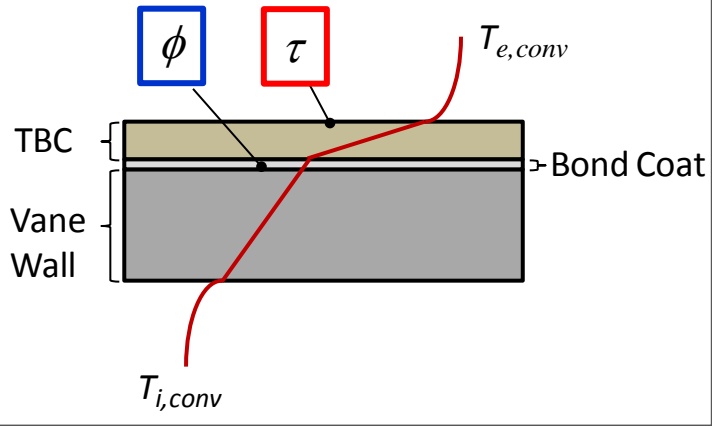


# Simulated thermal barrier coating:

**Uncoated**



**Coated**



$$\phi = \frac{T_{\infty} - T_{w,e}}{T_{\infty} - T_{c,vane\ inlet}}$$

$$\tau = \frac{T_{\infty} - T_{TBC,e}}{T_{\infty} - T_{c,vane\ inlet}}$$

**Simulated TBC was chosen to match thermal behavior of real TBC.**



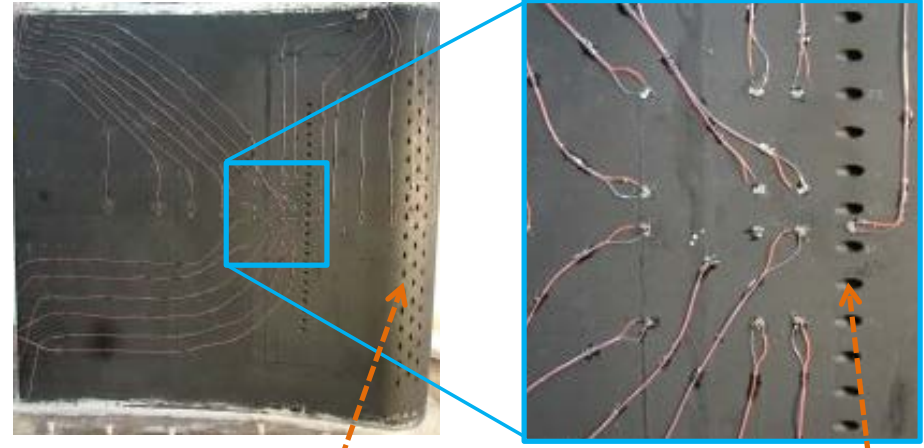
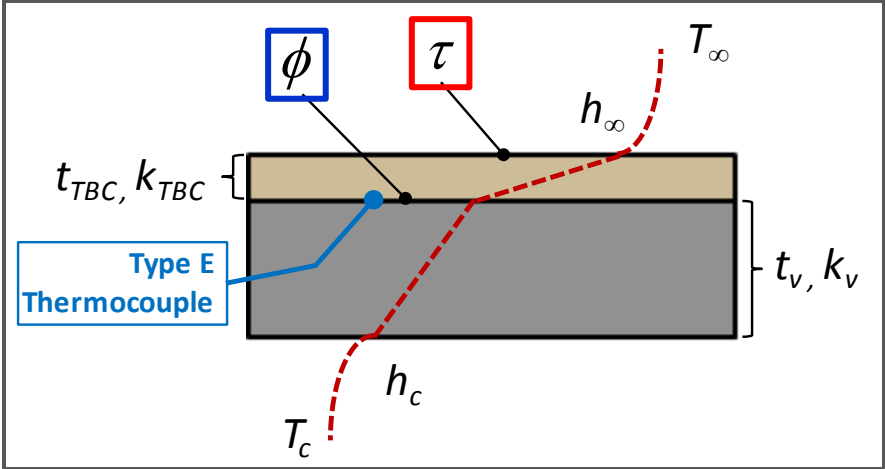
# External temperatures measured using an IR camera, and interface temperatures measured with array of surface TC's:

- IR Thermography
- Type E Thermocouples

Surface Temperature:  $\tau$



Interface Temperature:  $\phi$



Showerhead Holes

Pressure Side Holes

# Scaling of TBC thickness

- To correctly simulate the thermal effects of TBC, it is important that the simulated TBC we use in our models is scaled appropriately

Parameter	Real Turbine	Model Turbine	Units
Vane Thickness	1.3-3	12.7	mm
TBC Thickness	0.14 – 0.72	1.92 & 5.1	mm
Vane Conductivity	20	1.02	W/m-K
TBC Conductivity	0.83 – 1.7	0.065	W/m-K
Heat Transfer Coeff.	1500 – 5000	25 – 90	W/m <sup>2</sup> -K
TBC/Vane Thickness	0.14 – 0.72	0.15 & 0.40	-
TBC/Vane Conductivity	0.04 – 0.08	0.06	-
Vane Bi	0.1 – 0.6	0.3 – 1.1	-

**A range of TBC thicknesses being tested that simulate relatively thin and thick TBC.**

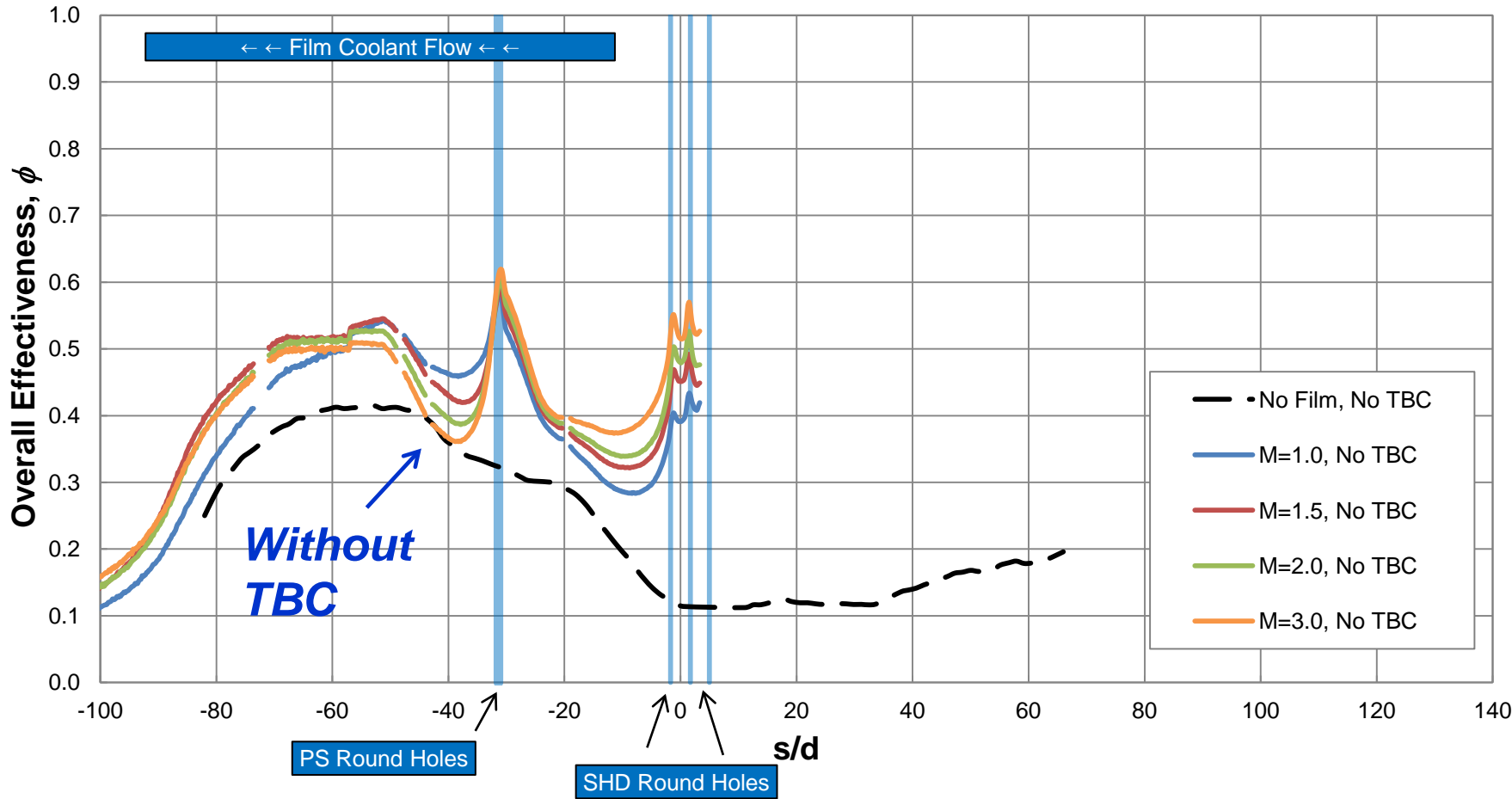




# Effect of TBC on metal temperature, $\phi$

Pressure Side Round Holes with Showerhead

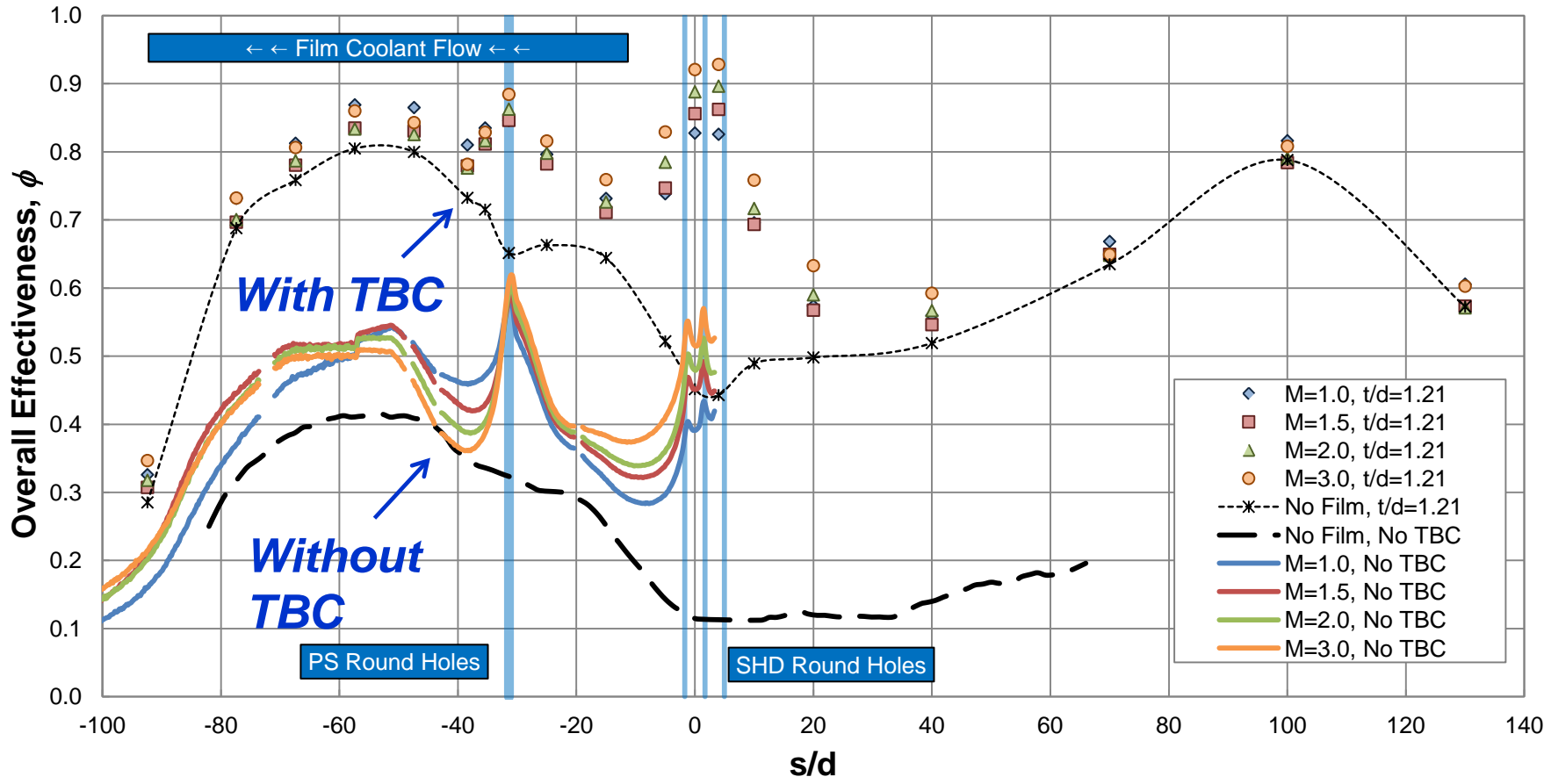
Round Hole Diameter = 4.21 mm



# Effect of TBC on metal temperature, $\phi$

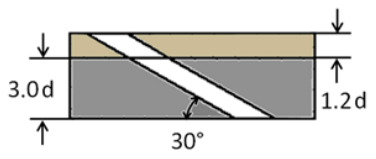
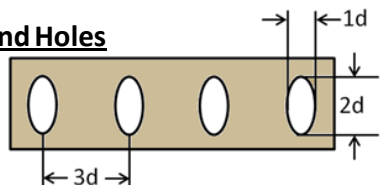
Pressure Side Round Holes with Showerhead

Round Hole Diameter = 4.21 mm

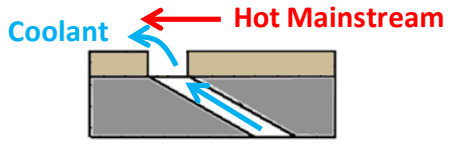
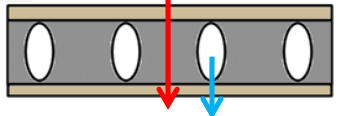


# Film cooling configurations used with TBC on the pressure side of the vane model

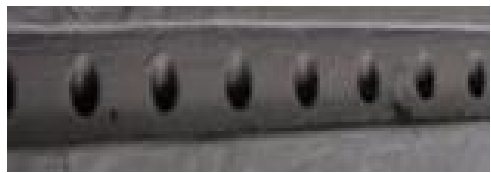
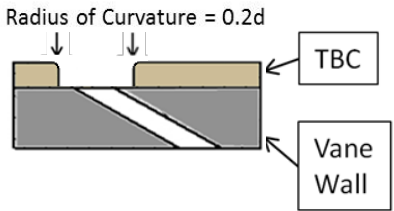
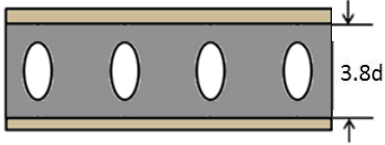
**Round Holes**



**Ideal Trench**

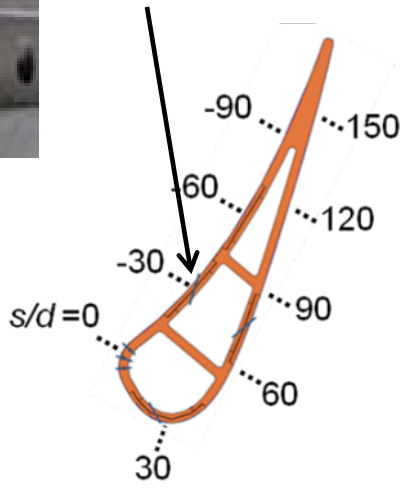


**Realistic Trench**



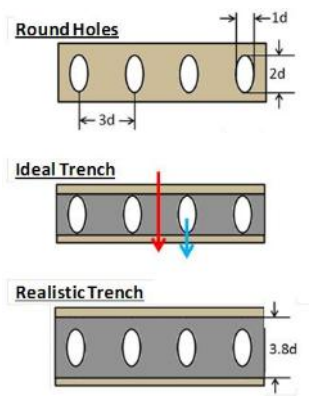
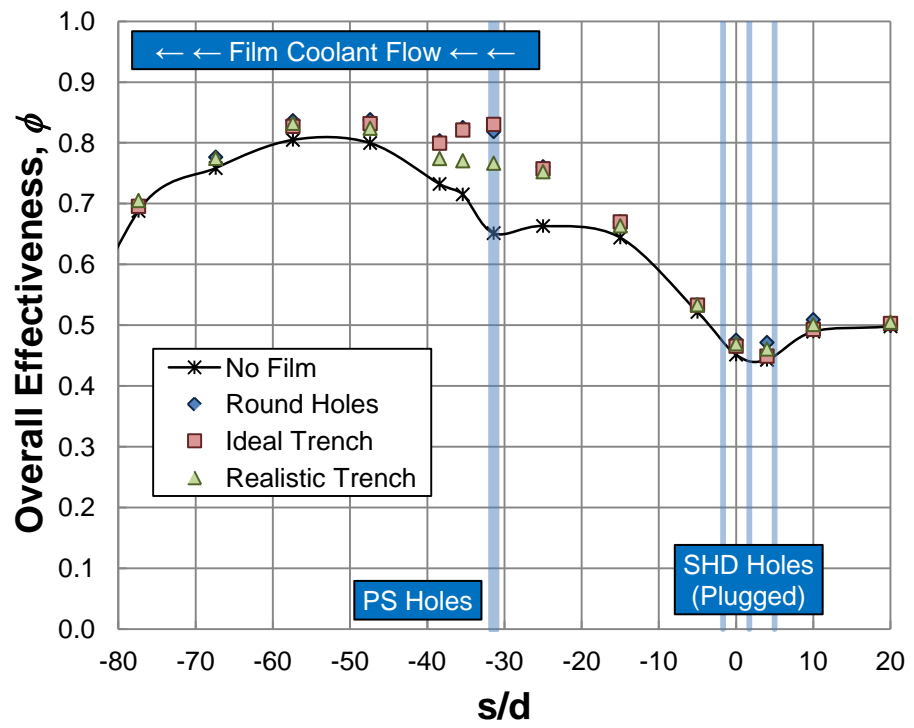
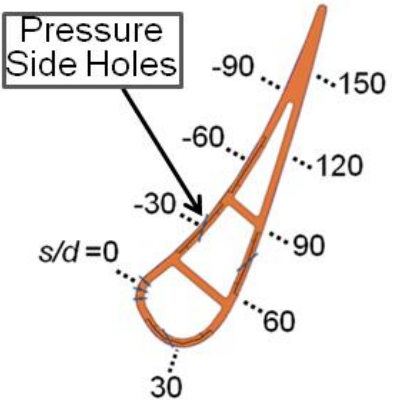
**Round Hole Diameter = 4.21 mm**

**Pressure Side Holes**



# Effect of configuration with TBC on $\phi$ :

$M = 0.5, t/d = 1.21$

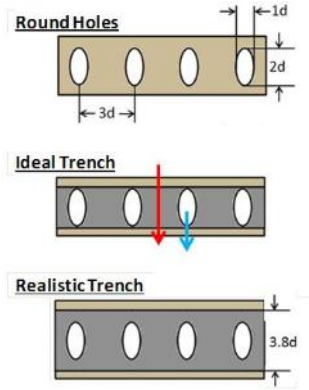
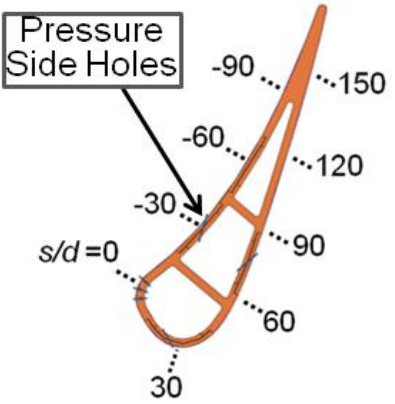
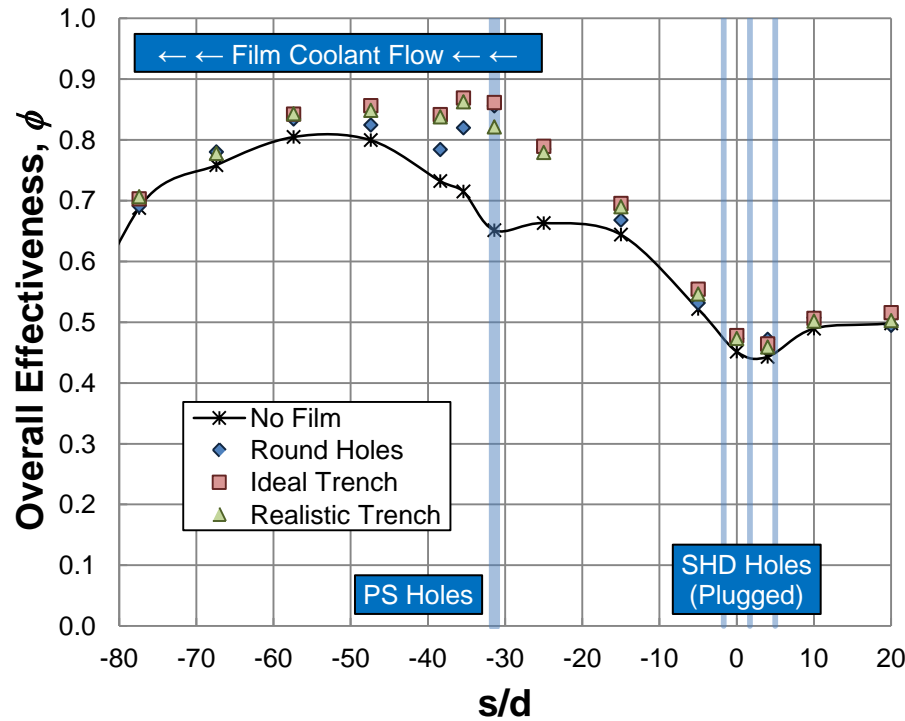


Minimal change in  $\phi$  with changes in configuration.



# Effect of configuration with TBC on $\phi$ :

$M = 2.0, t/d = 1.21$

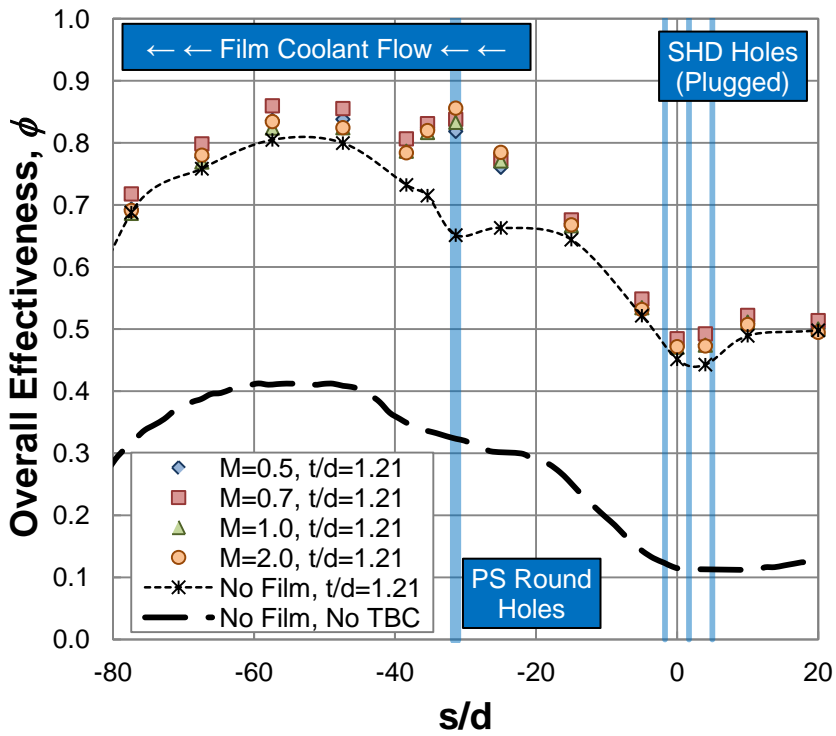


Minimal change in  $\phi$  with changes in configuration.

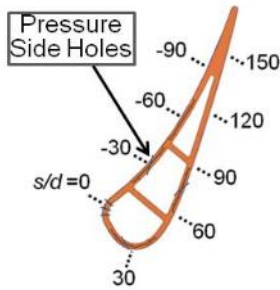
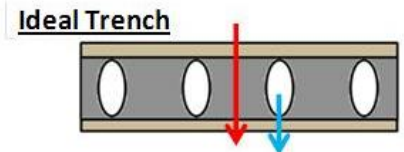
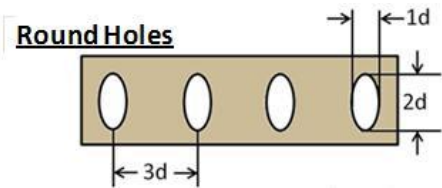
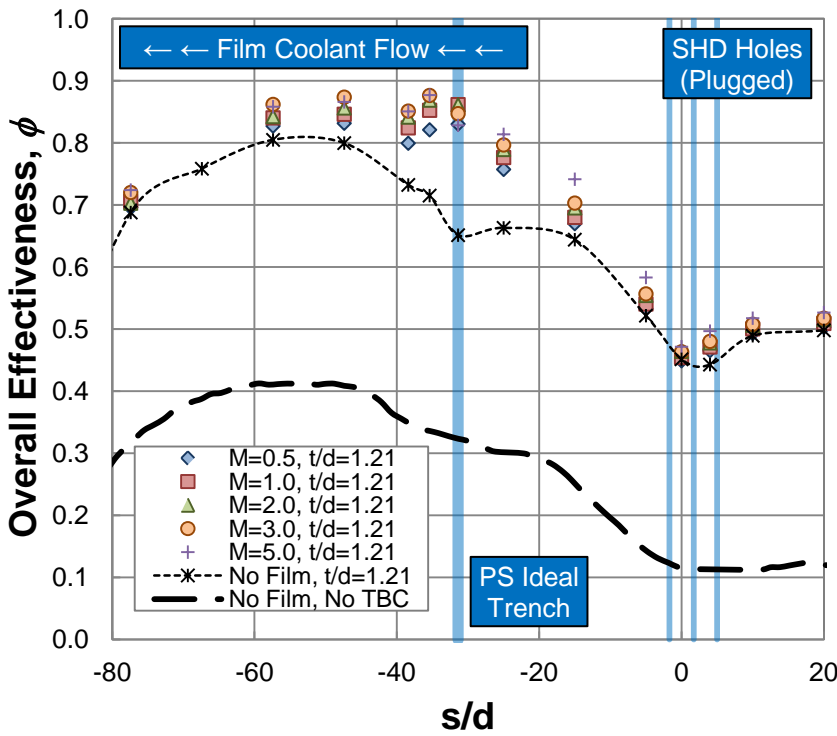


# Effect of blowing ratio on metal temperature, $\phi$ with TBC

Round Holes,  $t/d=1.21$



Ideal Trench,  $t/d=1.21$



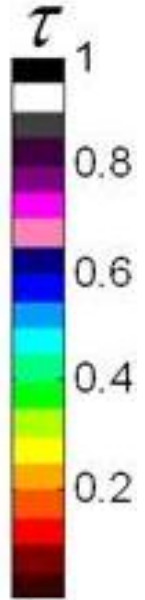
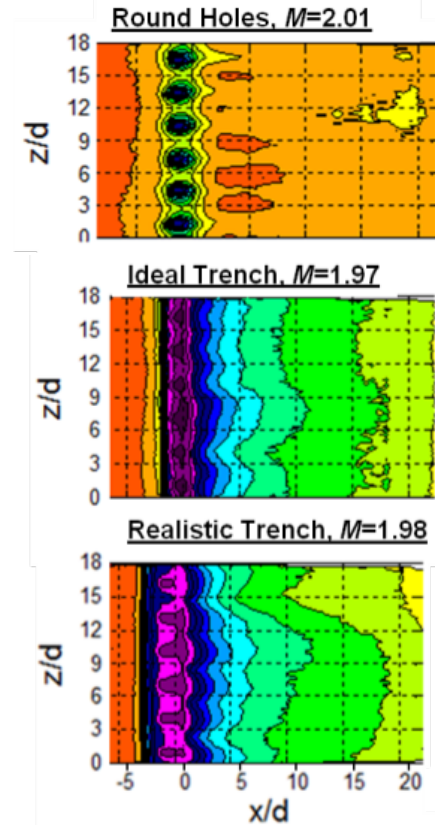
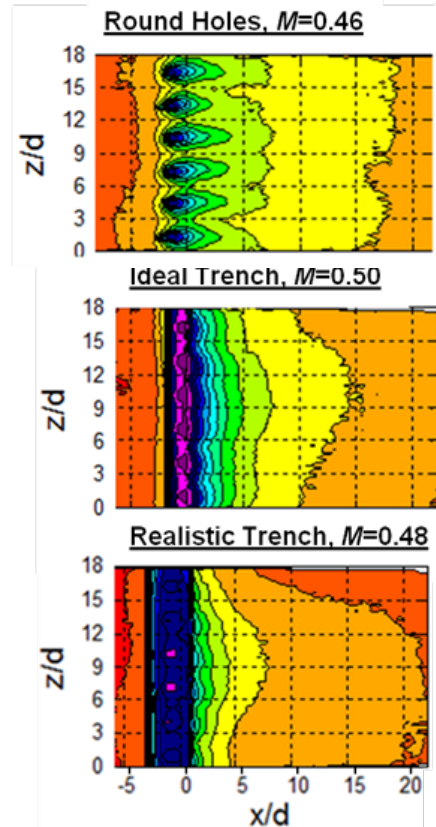
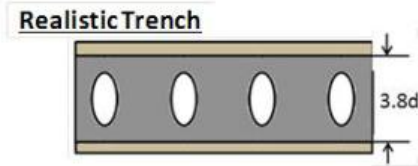
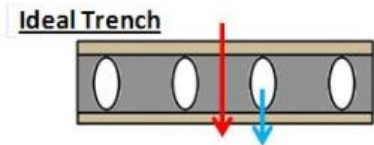
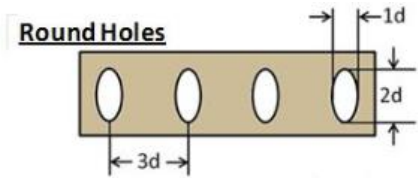
Marginal increase in  $\phi$  with increasing  $M$



# Effect of blowing ratio on normalized exterior TBC temperature, $\tau$

$M = 0.5$

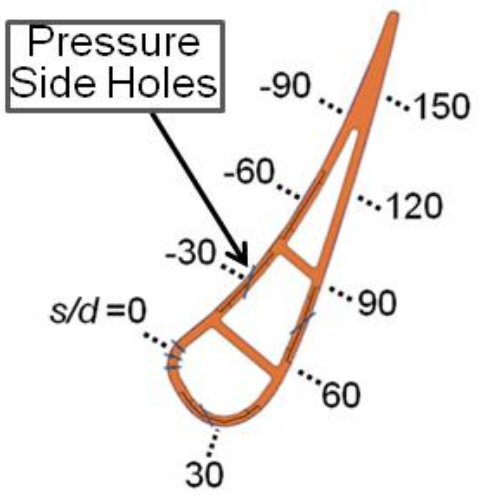
$M = 2.0$



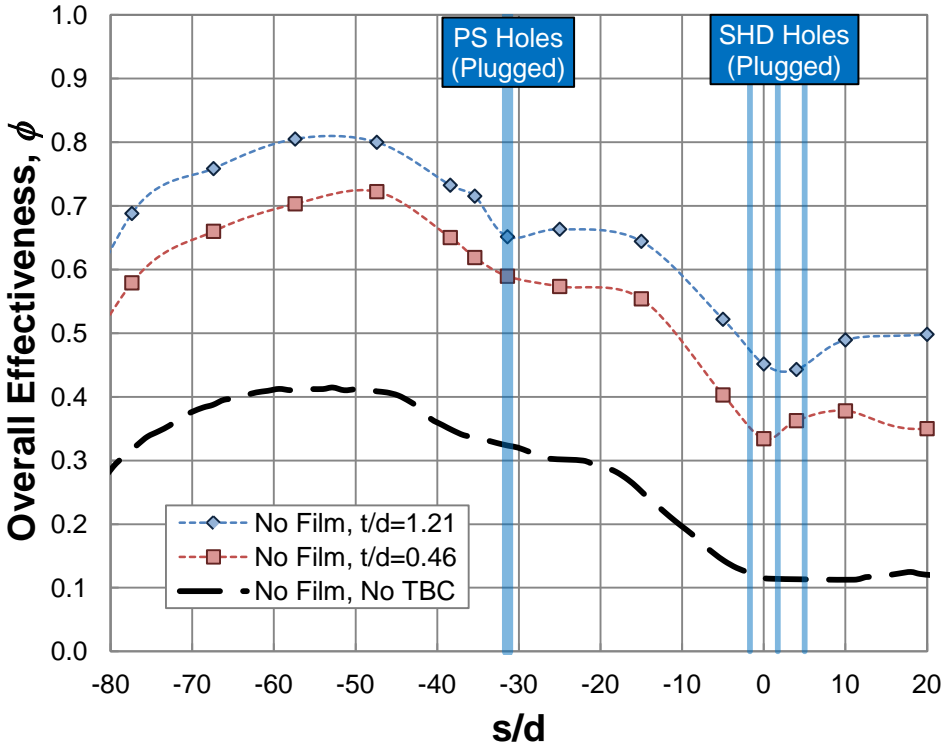
These results confirmed that the trench was providing good external film effectiveness.

# Effect of TBC thickness on $\phi$ with no film cooling

Parameter	Real Turbine	Previous Model	Current Model	Units
Vane Thickness	1.3-3	12.7	12.7	mm
TBC Thickness	0.14 – 0.72	5.1	1.92	mm
TBC/Vane Thickness	0.14 – 0.72	0.40 (t/d = 1.21)	0.15 (t/d = 0.46)	-



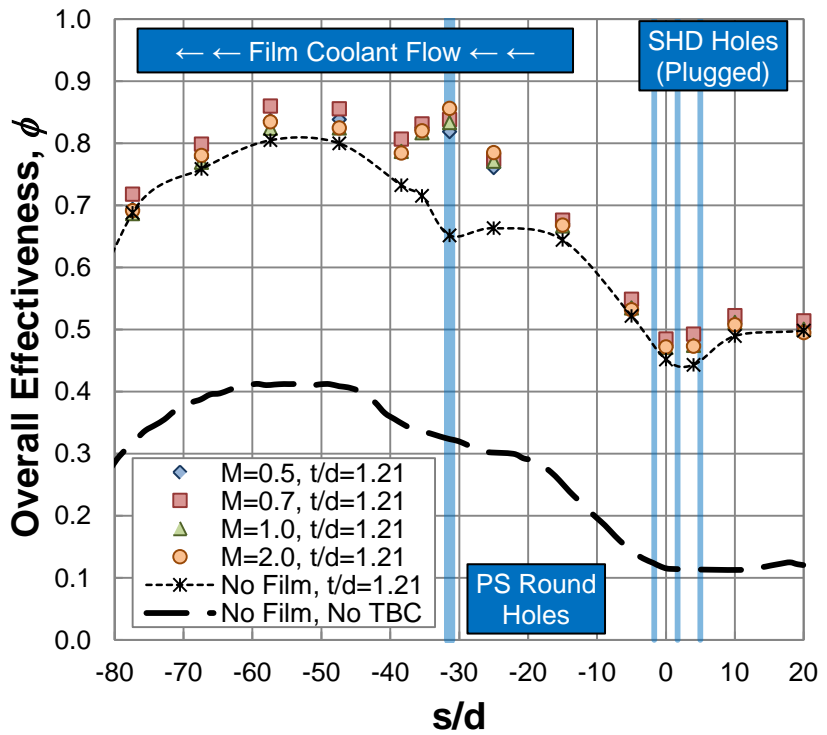
No Film Coolant



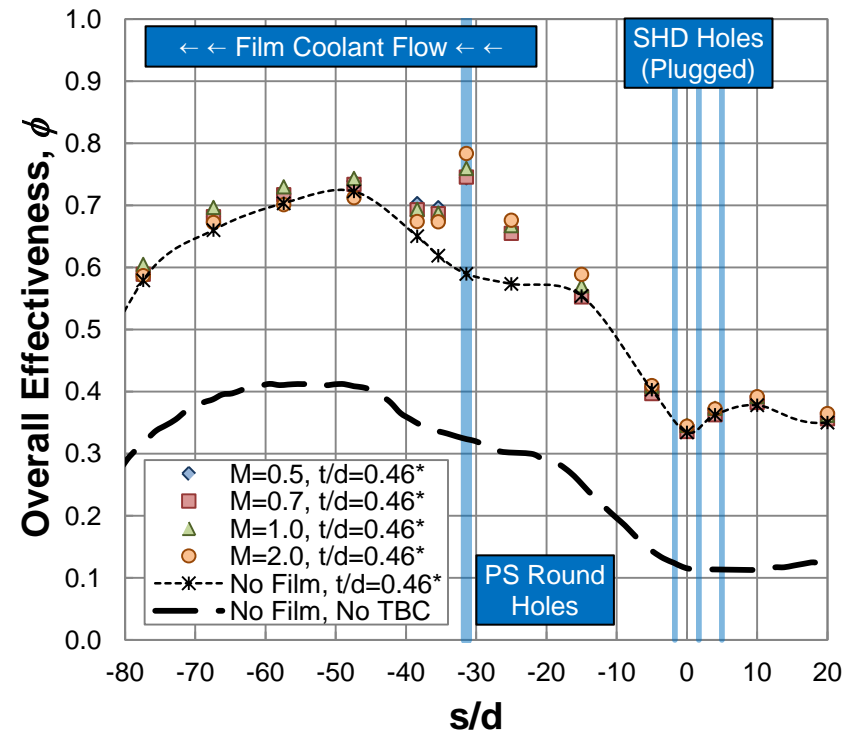


# Effect of TBC thickness on metal temperature, $\phi$ , with film cooling using round holes

Round Holes,  $t/d=1.21$



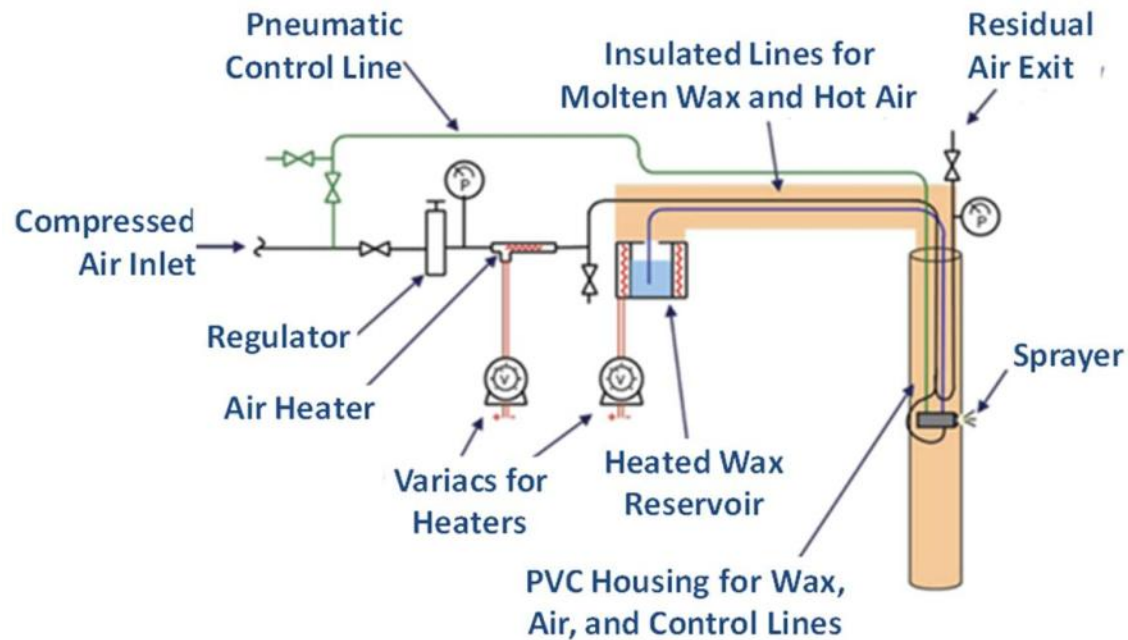
Round Holes,  $t/d=0.46$



As expected,  $\phi$  decreases with decreasing TBC thickness, but the increase in  $\phi$  is similar.



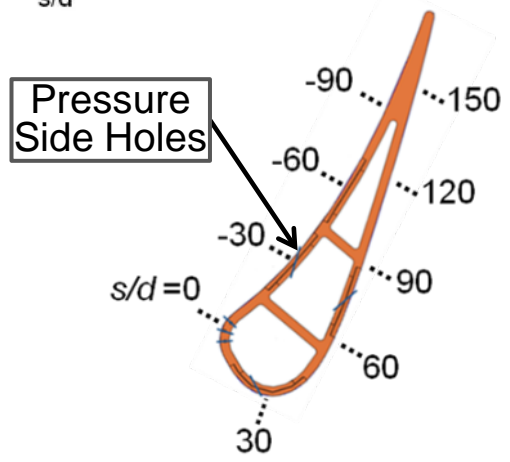
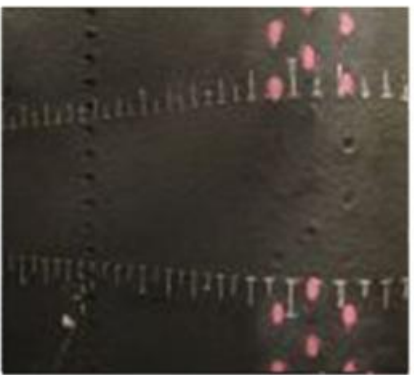
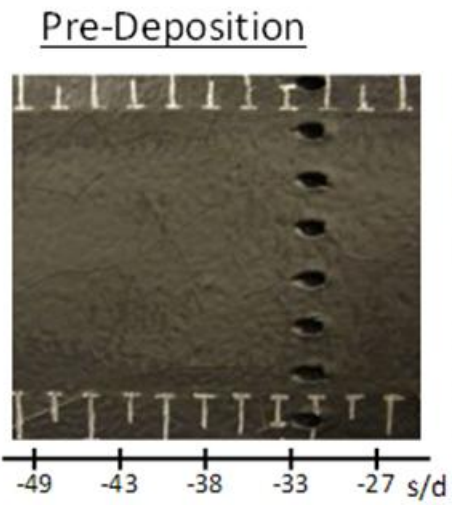
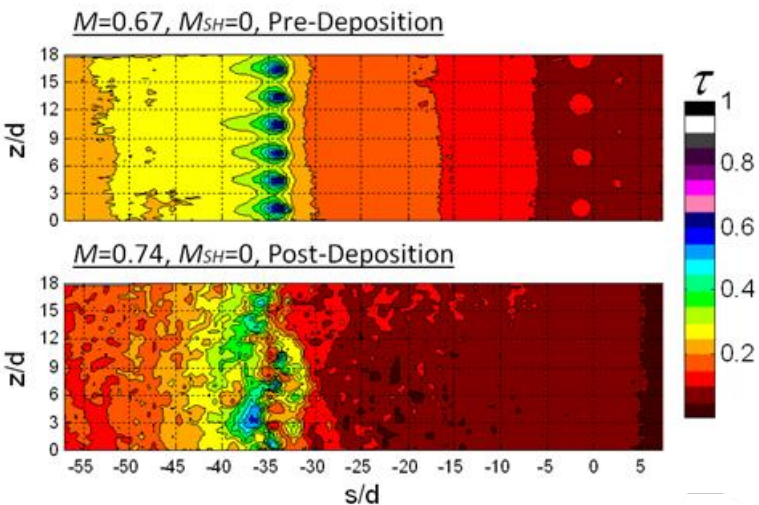
# Deposition of contaminants was simulated using the molten wax techniques we have described previously



System generates properly scaled particles.

# Deposition for round holes, $M = 0.7$ :

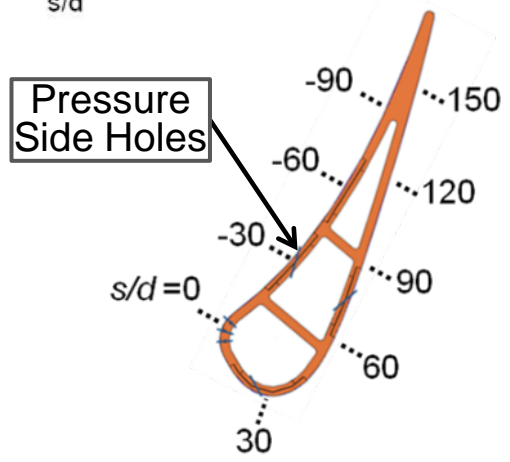
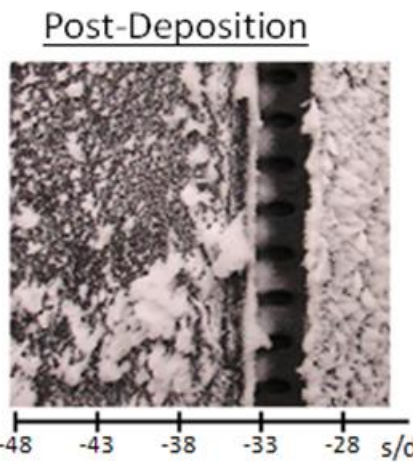
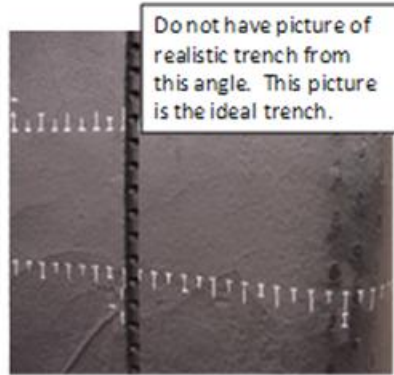
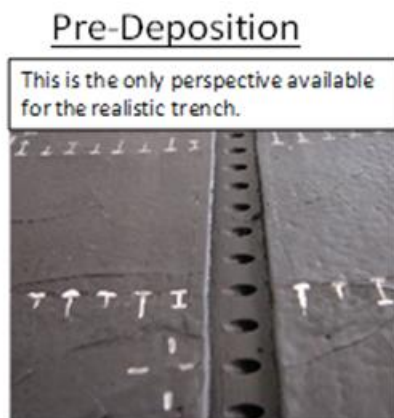
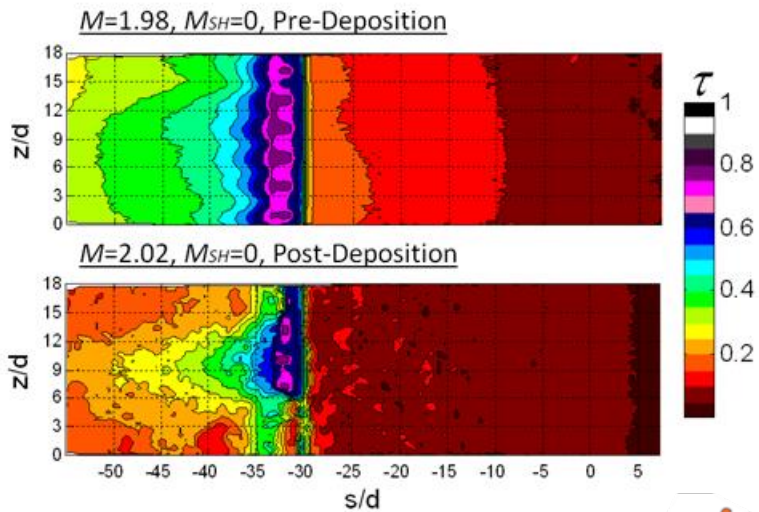
← ← Film Coolant Flow ← ←



Deposition almost buried round holes at  $M = 0.7$ .



# Deposition for realistic trench, $M = 2.0$ :

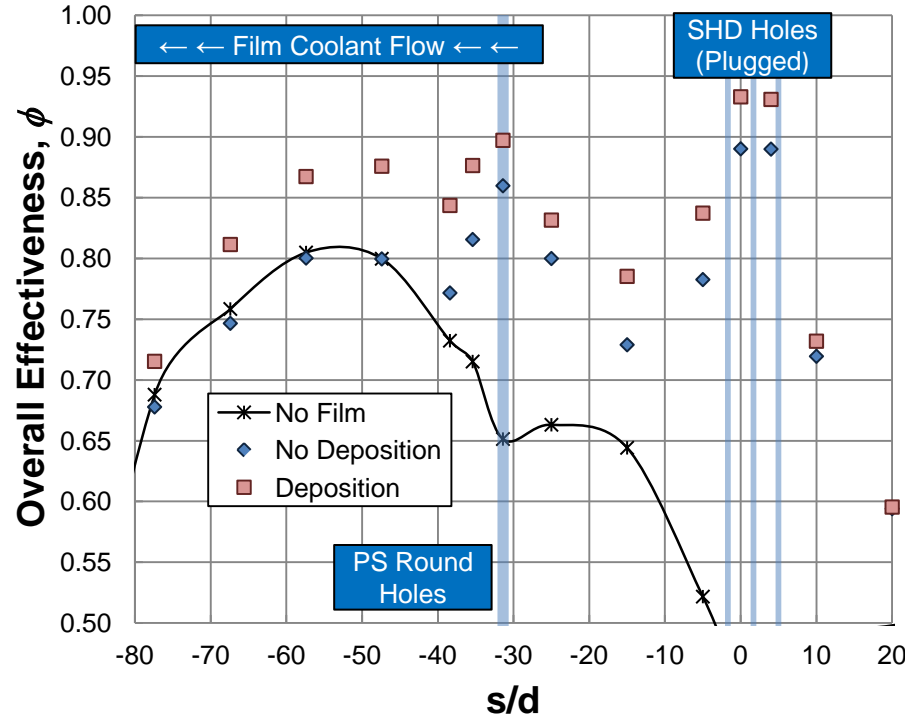


**Large growth on trench lip (not shown); Minimal growth elsewhere.**

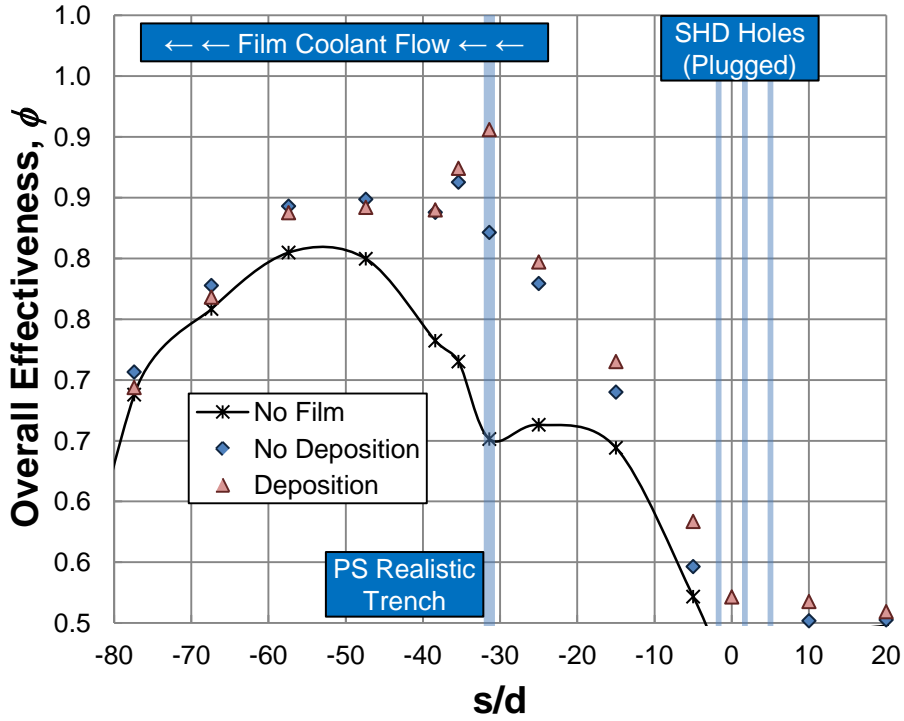


# Effect of deposition on $\phi$ for round holes and the realistic trench

Round Holes with Showerhead  
 $M = 2.0, t/d = 1.21$



Realistic Trench  
 $M = 2.0, t/d = 1.21$



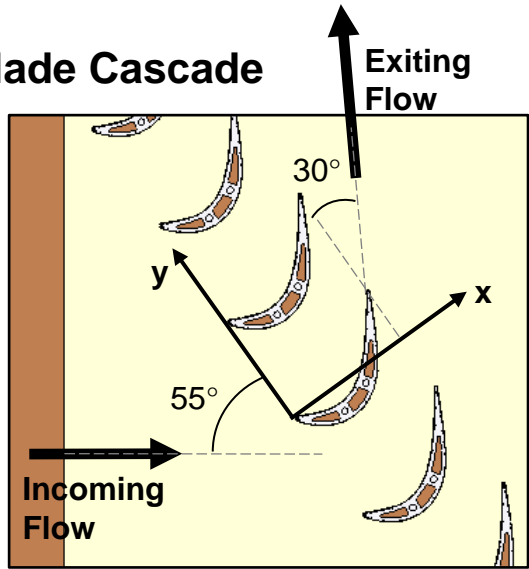
**Depositions increase  $\phi$  for round holes due to the additional insulation provided by the layers of deposits.**





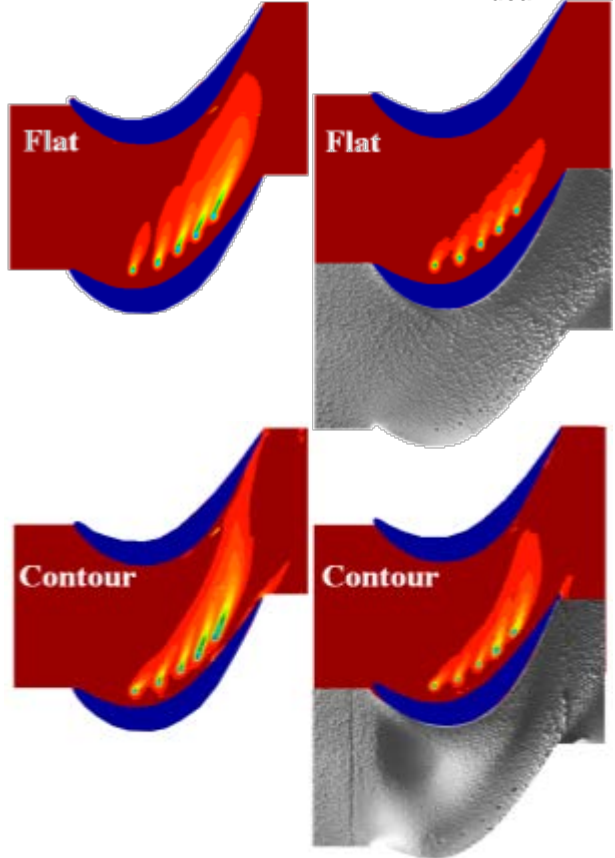
# Conjugate endwall heat transfer studies using the Pack-B blade cascade build on previous work

Pack-B Blade Cascade



No. of airfoils	7
Scale	8.6x
Pitch/chord (P/C <sub>ax</sub> )	0.89
Aspect ratio (S/C <sub>ax</sub> )	2.5

Adiabatic Effectiveness, M<sub>ideal</sub>=1.0

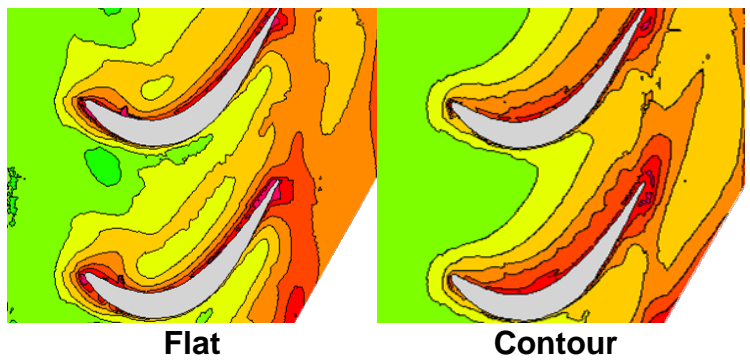


$$\eta = \frac{T_{\infty} - T_{aw}}{T_{\infty} - T_c}$$

Color scale for effectiveness (η):

- 1.0
- 0.95
- 0.9
- 0.85
- 0.8
- 0.75
- 0.7
- 0.65
- 0.6
- 0.55
- 0.5
- 0.45
- 0.4
- 0.35
- 0.3
- 0.25
- 0.2
- 0.15
- 0.1
- 0.05
- 0

Heat Transfer Measurements



$$Nu = \frac{hC_{ax}}{k_{air}}$$

Color scale for Nusselt number (Nu):

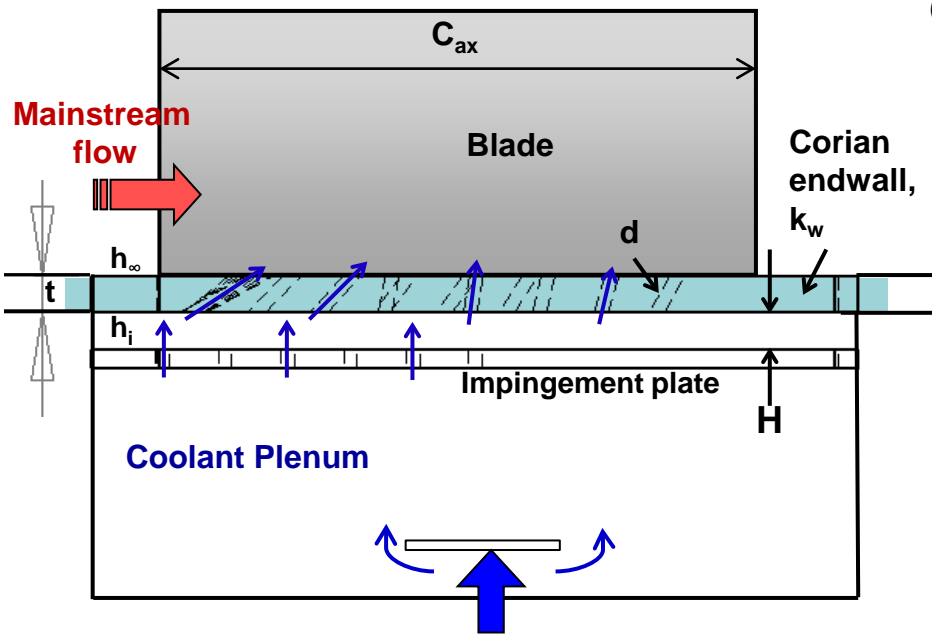
- 700
- 650
- 600
- 550
- 500
- 450
- 400
- 350
- 300
- 250
- 200
- 150
- 100
- 50
- 0

Lynch et al., 2011, *J. Turbomach.*, 133, p. 011019

Lawson et al. 2012, ASME Turbo Expo, GT2012-68174



# Matching Bi and other non-dimensional parameters to engine conditions allows direct measurement of $\phi$



Overall effectiveness (metal temperature):

$$\phi = \frac{T_\infty - T_w}{T_\infty - T_c} = \frac{1 - \left( \frac{T_\infty - T_{film}}{T_\infty - T_c} \right)}{1 + Bi + h_\infty/h_i} + \left( \frac{T_\infty - T_{film}}{T_\infty - T_c} \right)$$

where,  $Bi = h_\infty t/k_w$  and

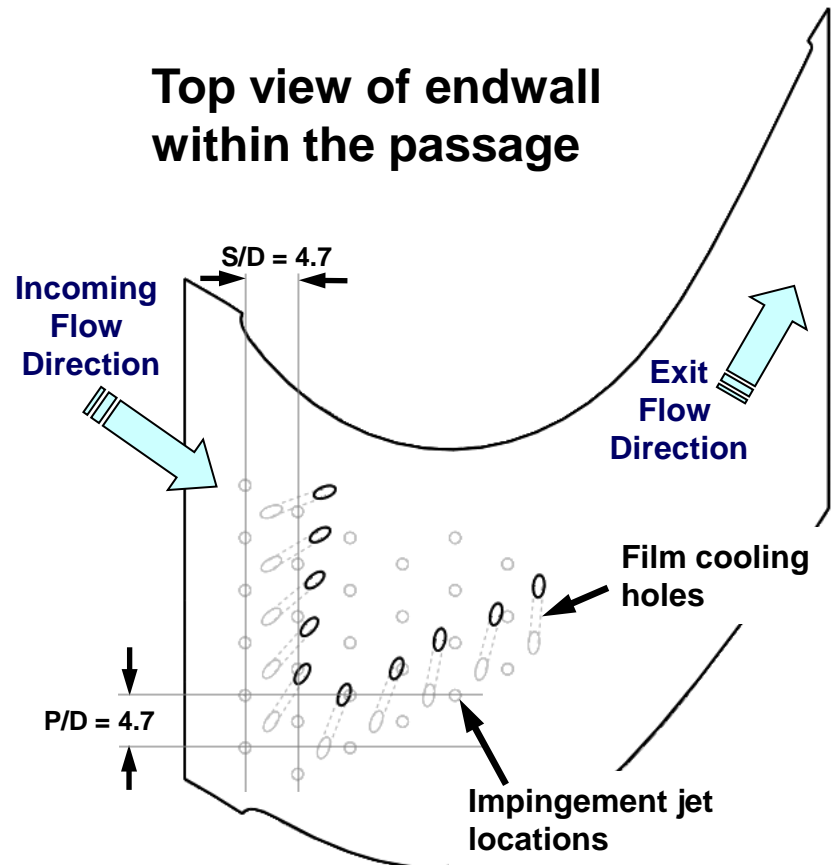
$T_{film}$  = the driving temperature for external convection  
( $T_{aw}$  is normally used)

Matched Parameters	Engine	Model
$Re_{\infty, in} (C_{ax})$	$1.25 \times 10^5$	$1.25 \times 10^5$
$M_{filmcooling} = \frac{\rho_c U_c}{\rho_\infty U_\infty}$	1.0 - 2.0	0.6, 1.0, 2.0
$h_\infty/h_i$	1.0	0.4 - 2.5
$Bi = h_\infty t/k_w$	0.27	0.30 - 0.77
$H/d$	3	2.9

Using DuPont Corian® endwall



# Film and impingement cooling were applied separately and together at three blowing ratios



$d$  = diameter of film and impingement holes

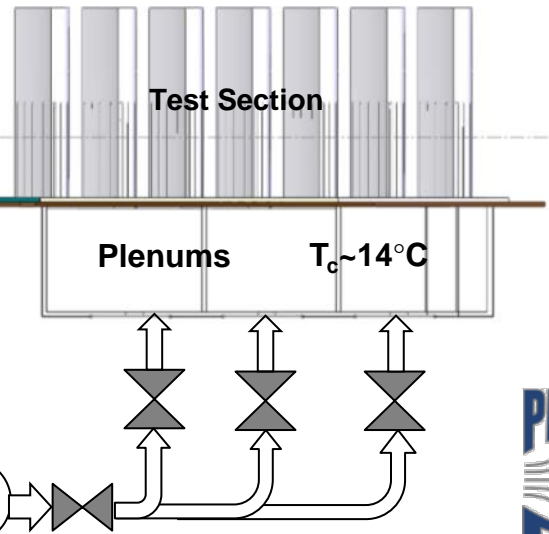
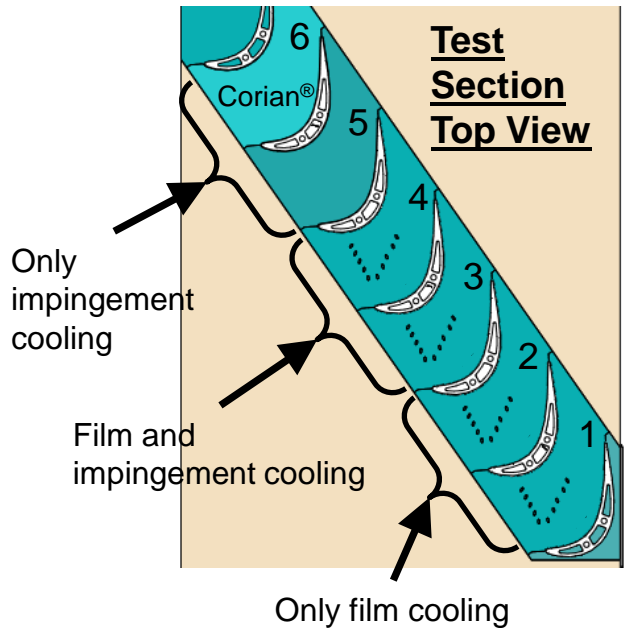
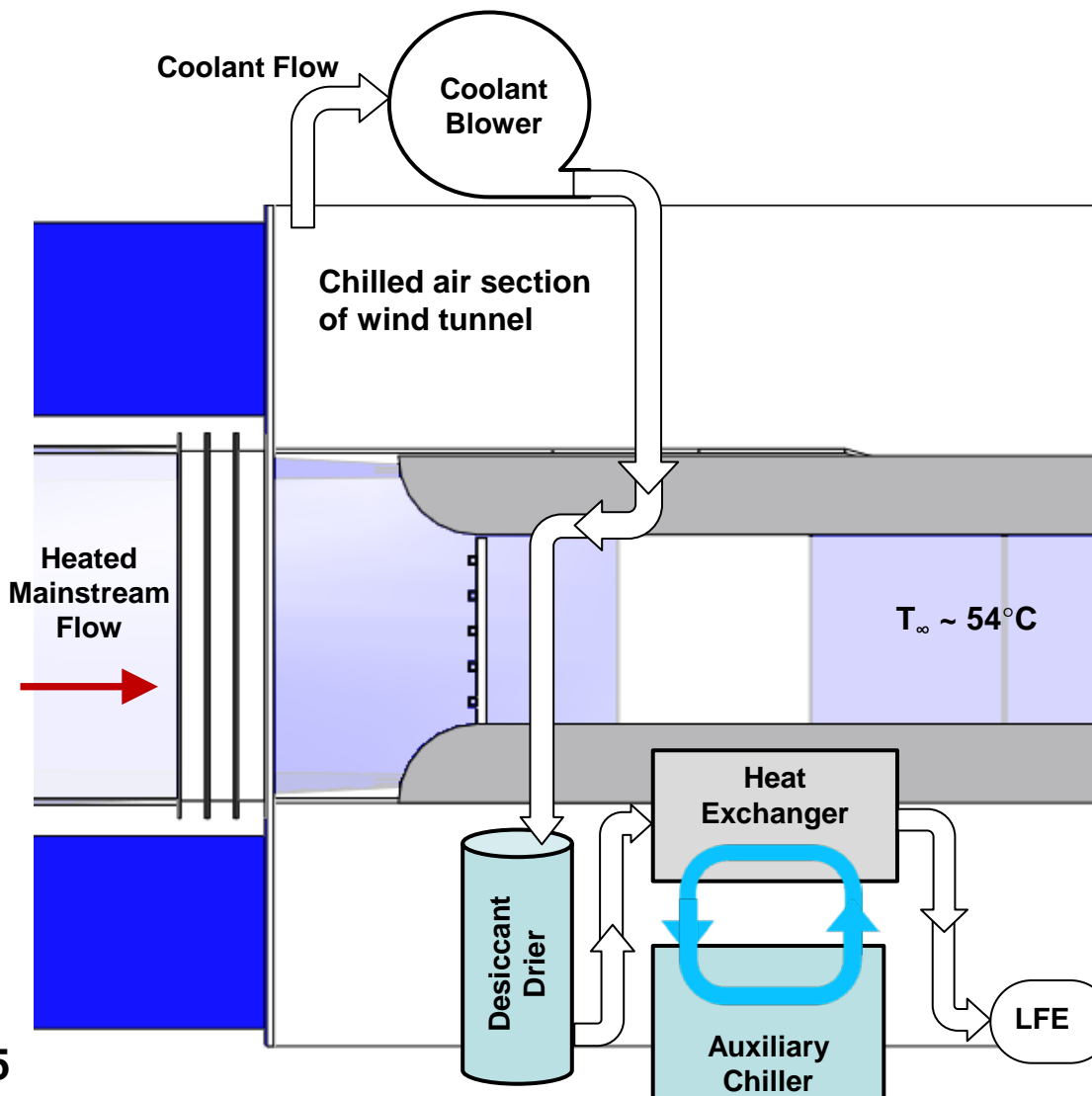
Cooling Arrangement	H/d (imping.)	$M_{avg}$	$I_{avg}$	$h_{\infty}/h_i$
Film only	N/A	2.0	3.50	N/A
		1.0	0.94	
		0.6	0.32	
Impingement only	2.9	2.0	3.50	0.4-1.0
		1.0	0.94	0.6-1.4
		0.6	0.32	1.0-2.2
Film + Impingement	2.9	2.0	3.50	0.5-1.0
		1.0	0.94	0.7-1.6
		0.6	0.32	1.1-2.5
Impingement only	0.6	2.0	3.50	0.4-0.8
		1.0	0.94	0.5-1.2
Film + Impingement	0.6	2.0	3.50	0.5-1.1
		1.0	0.94	0.7-1.6





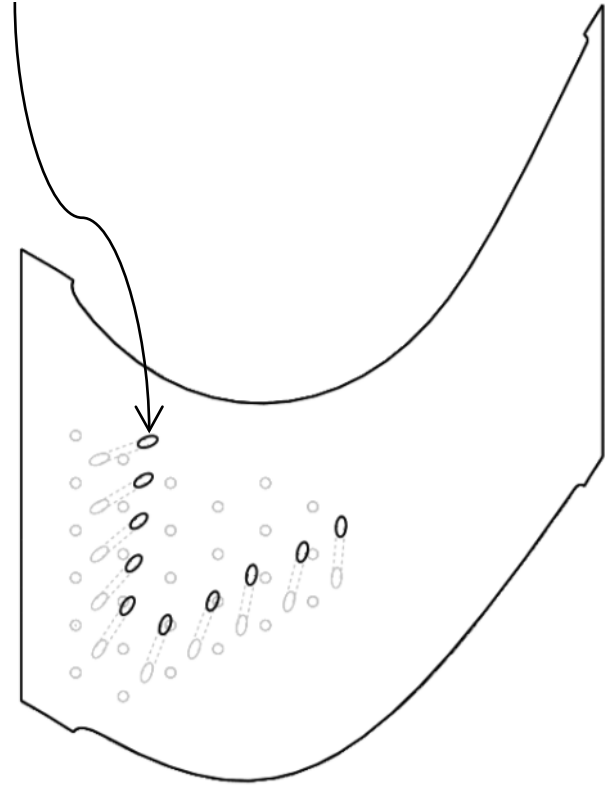
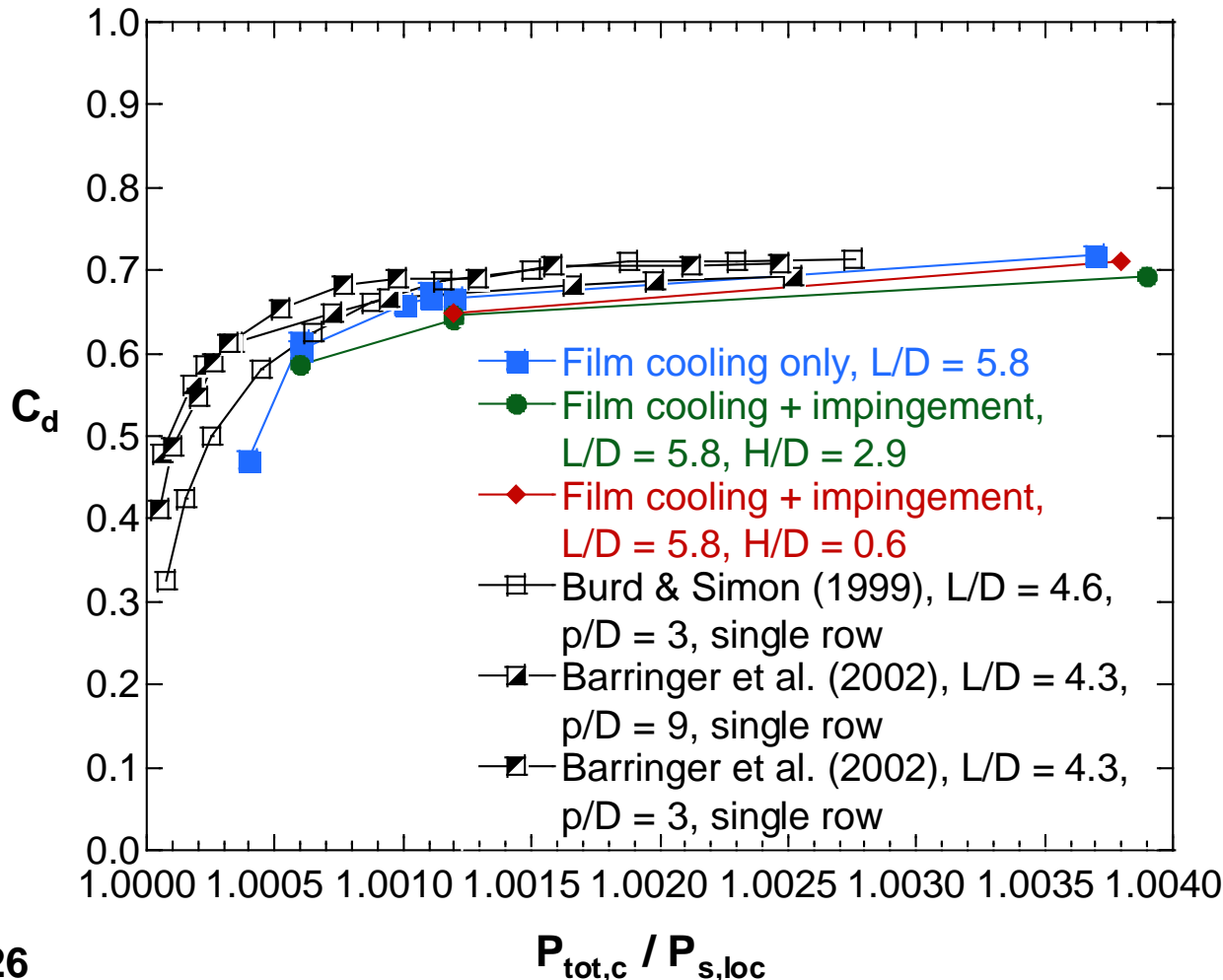
# An additional chiller, heat exchanger and drier were installed to increase driving $\Delta T = T_{\infty} - T_c$

**Wind Tunnel Side View**

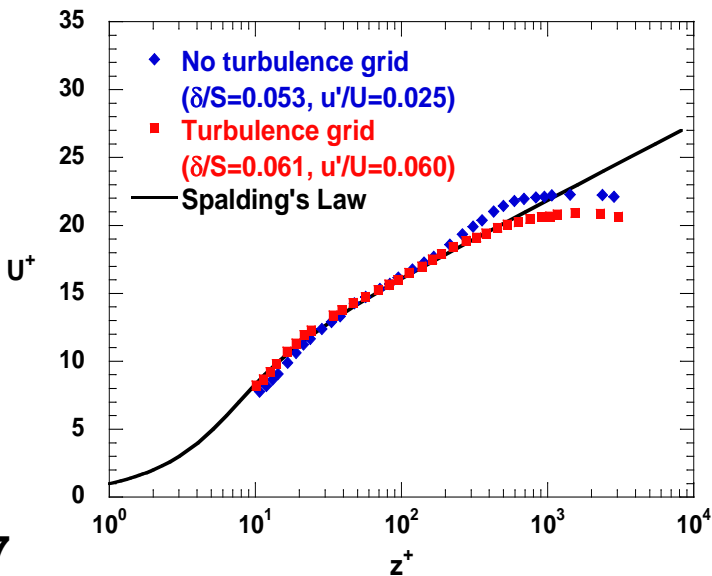
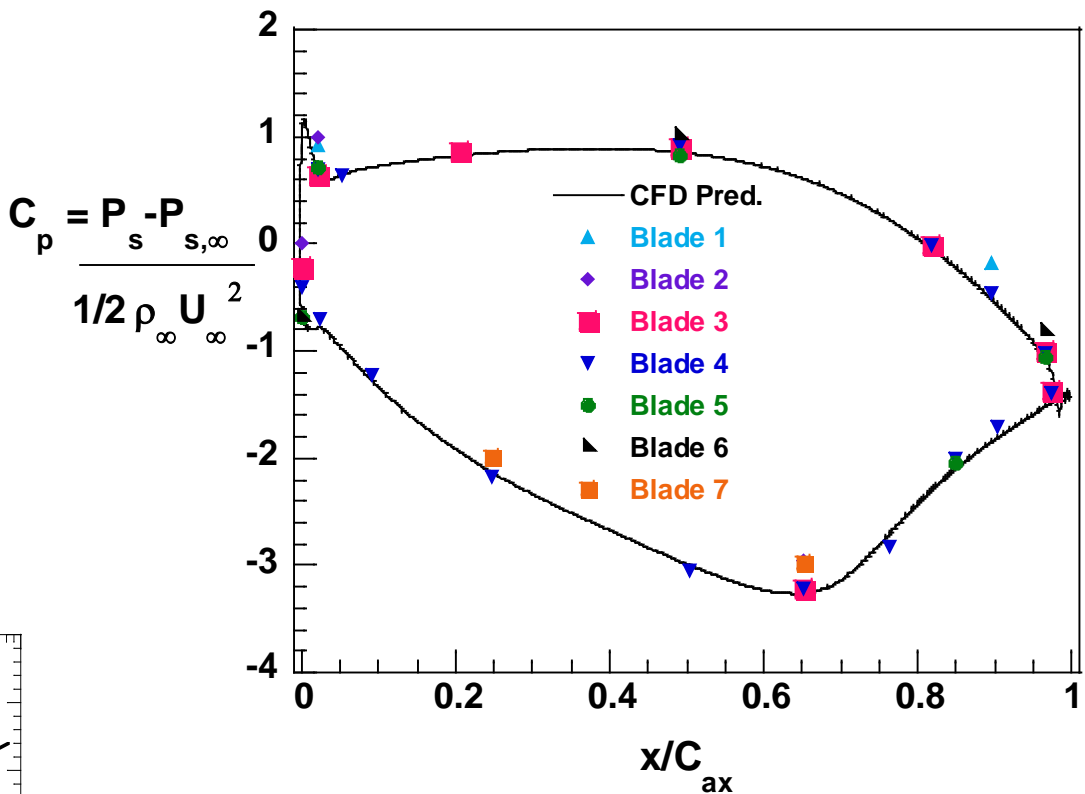


# Discharge coefficients agreed well with literature, and $C_d$ was lower with the impingement plate

$$C_d = \frac{u_{\text{actual}}}{u_{\text{ideal}}} = \frac{\dot{m}_{\text{actual}}}{\rho_c u_{\text{ideal}} A_{\text{hole}}} = \frac{\dot{m}_{\text{actual}}}{\sqrt{2\rho_c (P_{\text{tot},c} - P_{\text{s,hole}}) A_{\text{hole}}}}$$



# The blade midspan pressure distribution was benchmarked to a previous CFD prediction



Previously measured inlet boundary layer  
 Lynch et al., 2011, *J. Turbomach.*, 133, p. 011019



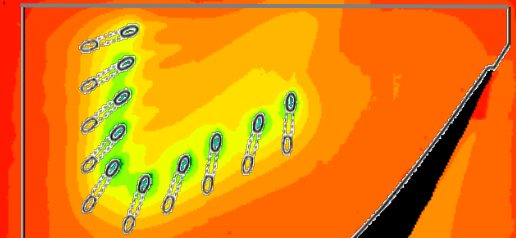
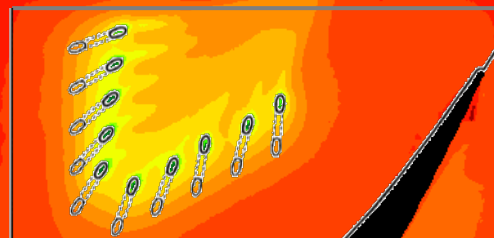
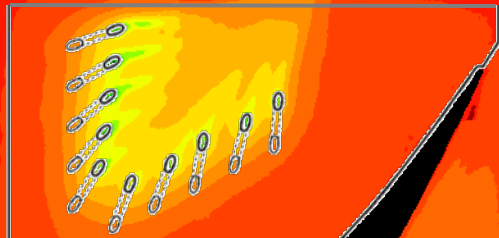
With film cooling,  $\phi$  was similar with blowing ratio, except for an increase directly around the hole exits

## Film Cooling Only

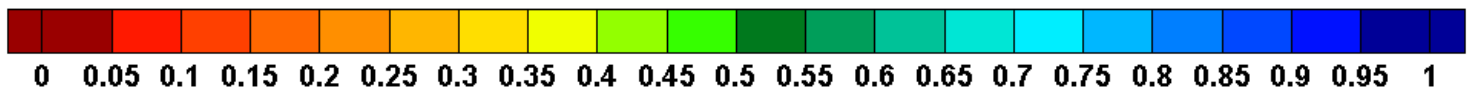
$M_{\text{avg}} = 0.6, I_{\text{avg}} = 0.3$   
DR = 1.13

$M_{\text{avg}} = 1.0, I_{\text{avg}} = 0.9$   
DR = 1.14

$M_{\text{avg}} = 2.0, I_{\text{avg}} = 3.5$   
DR = 1.18



$$\phi_f = \frac{T_{\infty} - T_{\text{wall}}}{T_{\infty} - T_{c,\text{film}}}$$



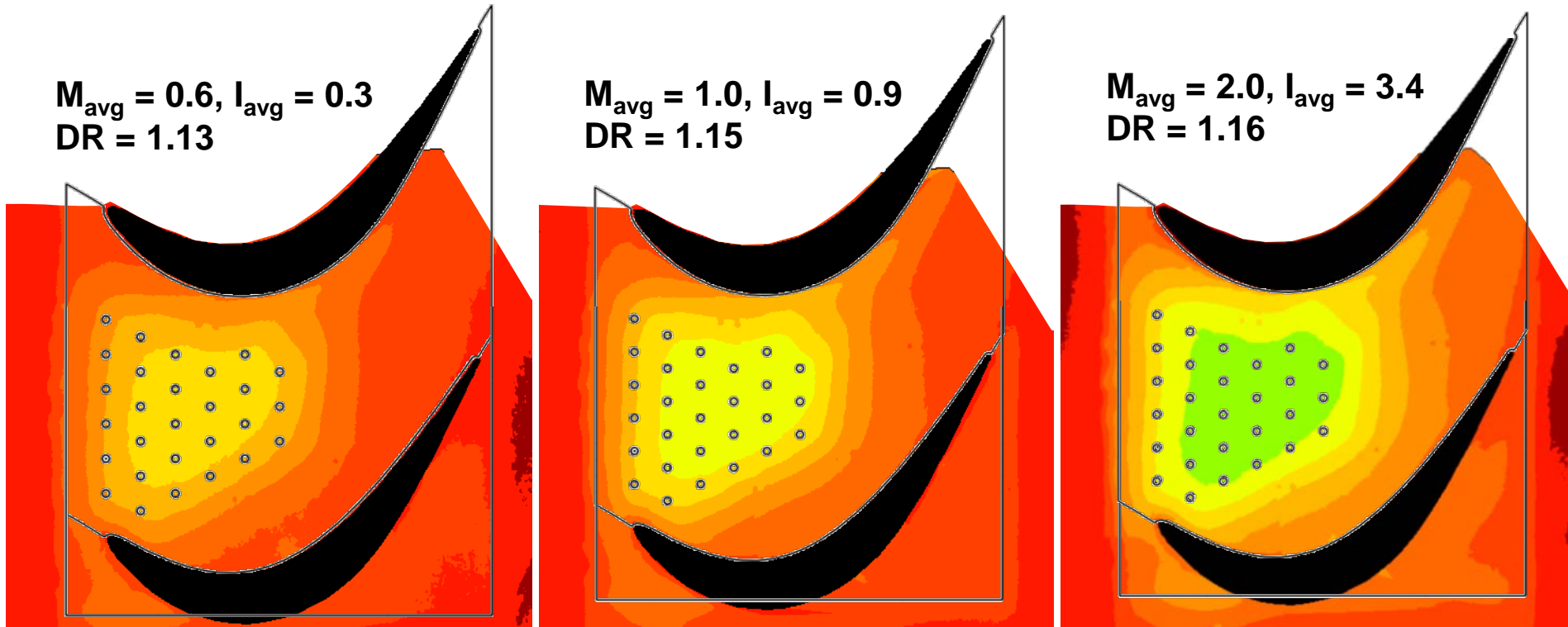
For impingement cooling,  $\phi$  was more uniformly distributed, and increased with blowing ratio

## Impingement Cooling Only

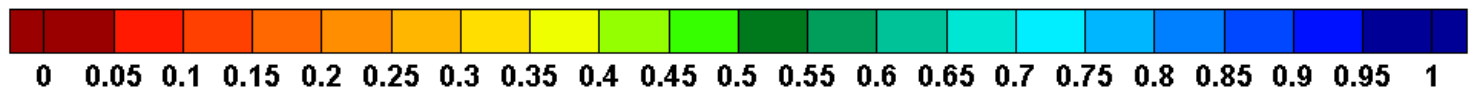
$M_{avg} = 0.6, I_{avg} = 0.3$   
DR = 1.13

$M_{avg} = 1.0, I_{avg} = 0.9$   
DR = 1.15

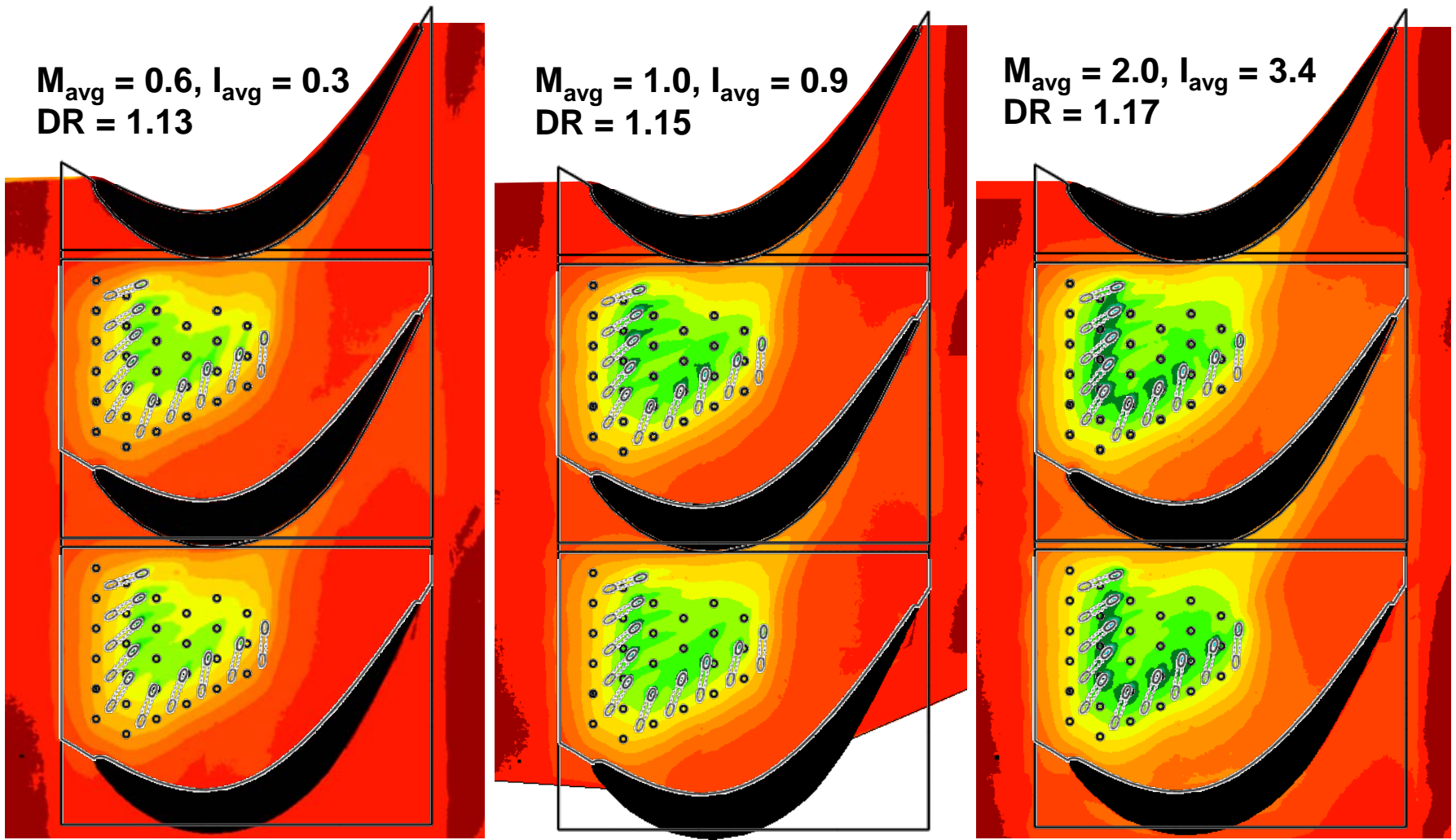
$M_{avg} = 2.0, I_{avg} = 3.4$   
DR = 1.16



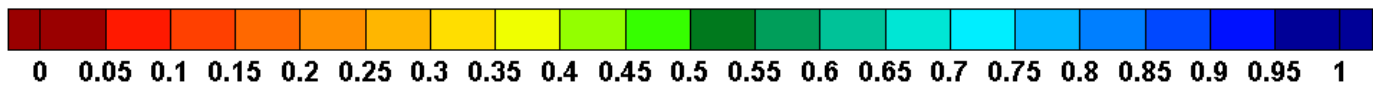
$$\phi_o = \frac{T_\infty - T_{wall}}{T_\infty - T_c}$$



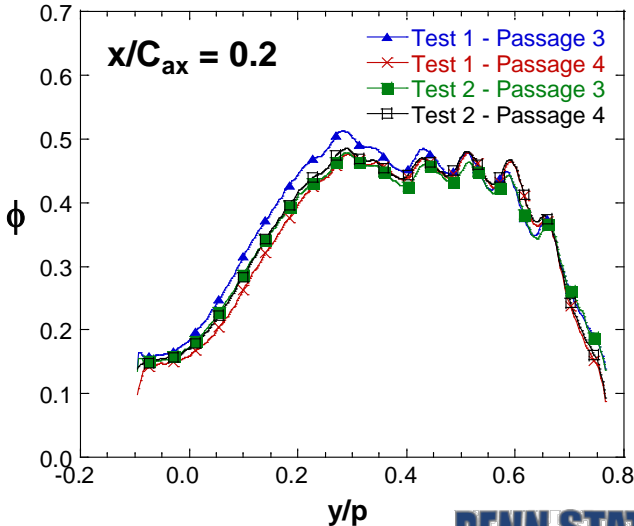
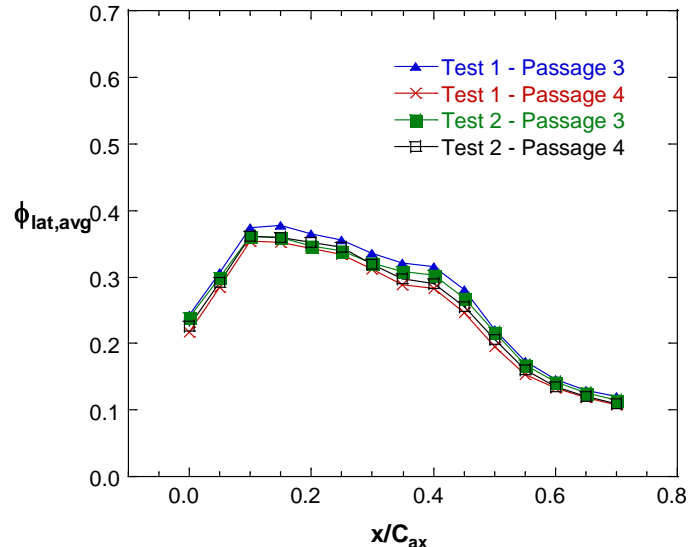
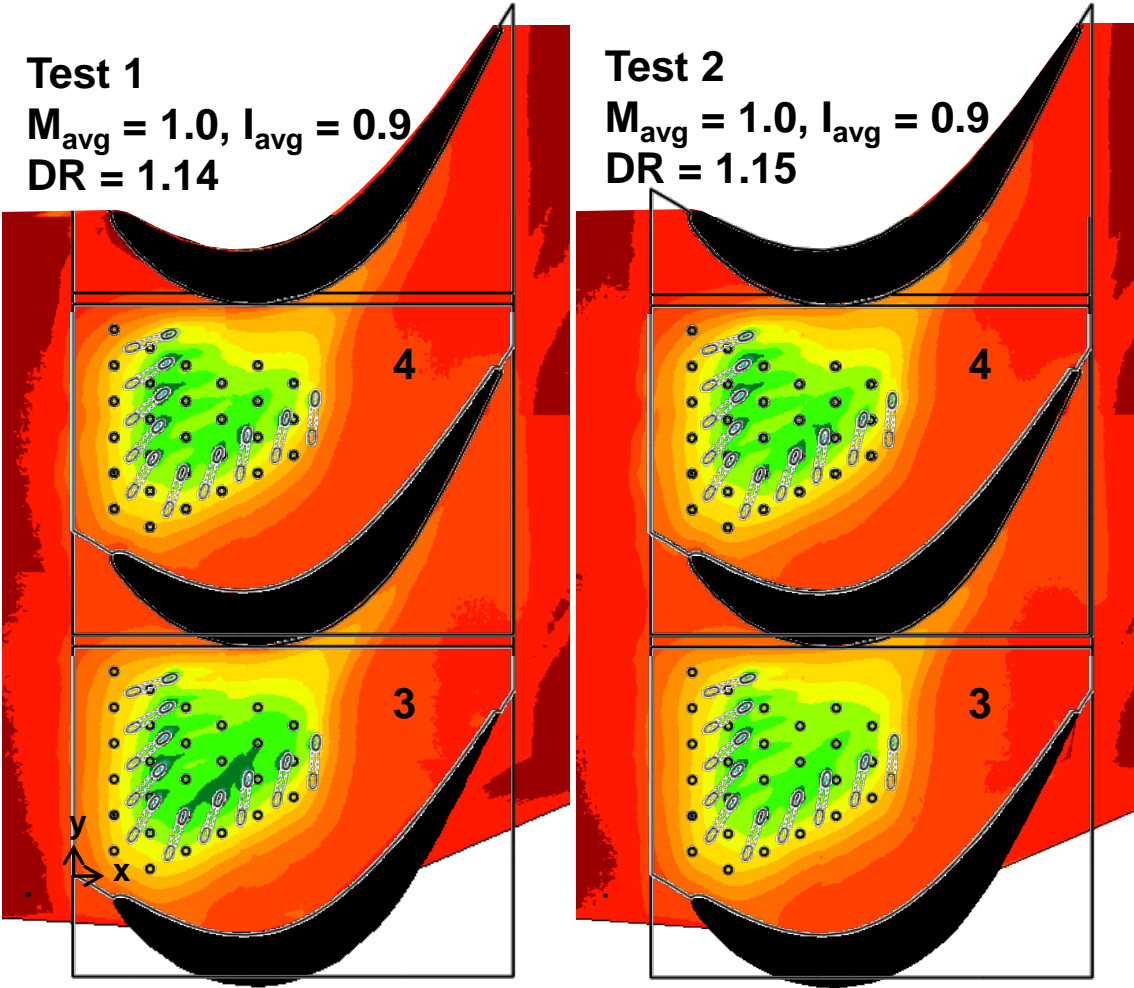
# Film and impingement cooling had high $\phi$ around the film cooling holes, and increased with blowing ratio



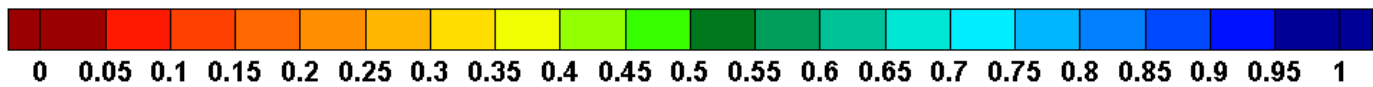
$$\phi = \frac{T_{\infty} - T_{wall}}{T_{\infty} - T_c}$$



# A repeated test showed good reproducibility of $\phi$ between passages and separate experiments

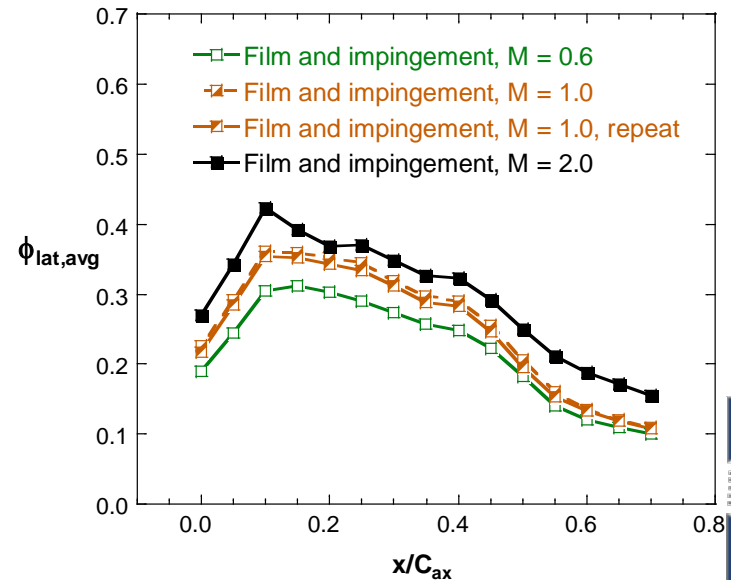
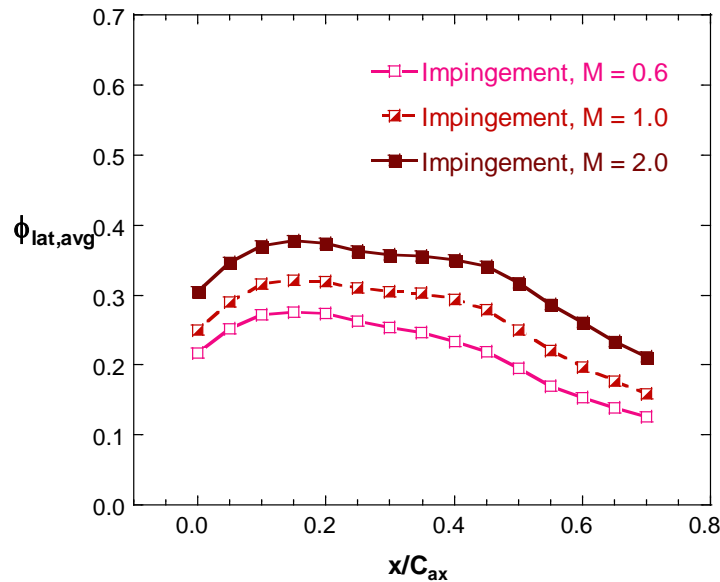
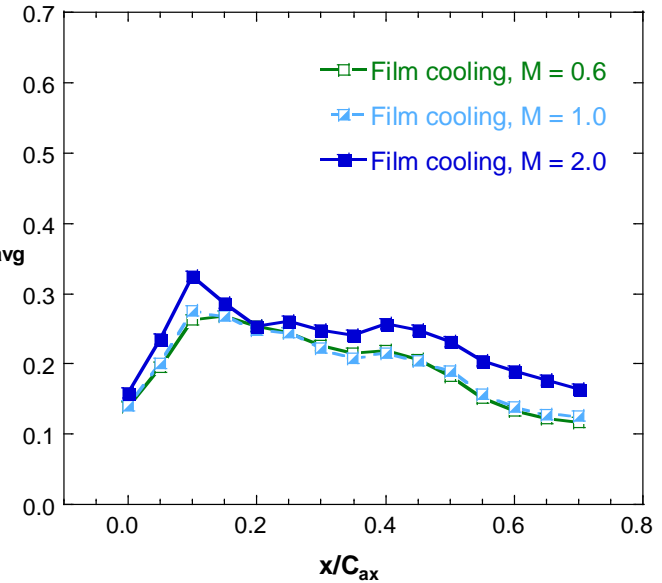
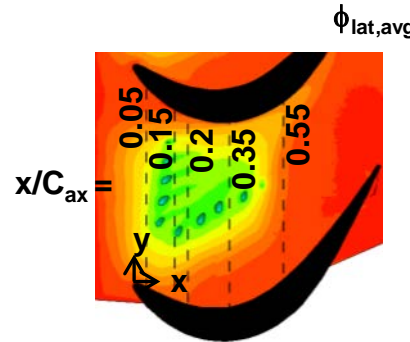
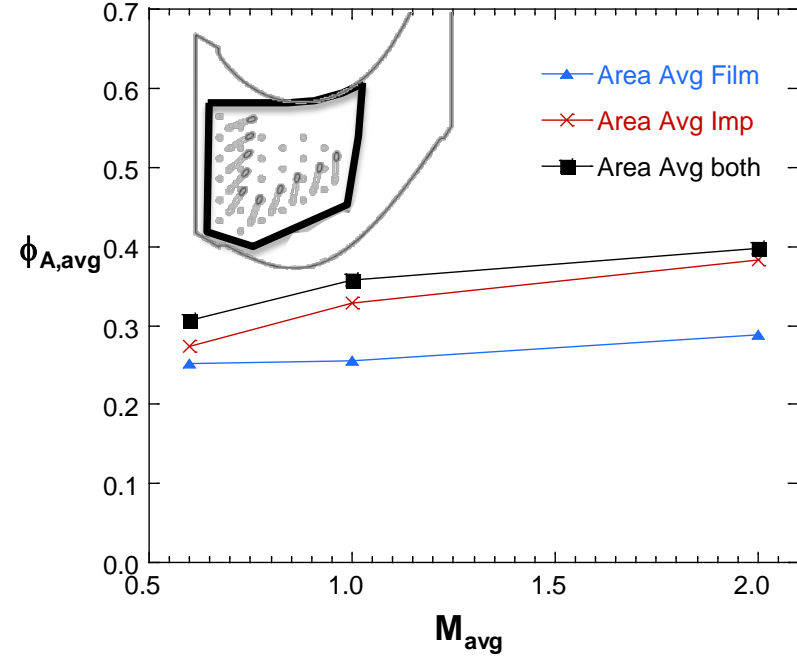


$$\phi = \frac{T_{\infty} - T_{wall}}{T_{\infty} - T_c}$$



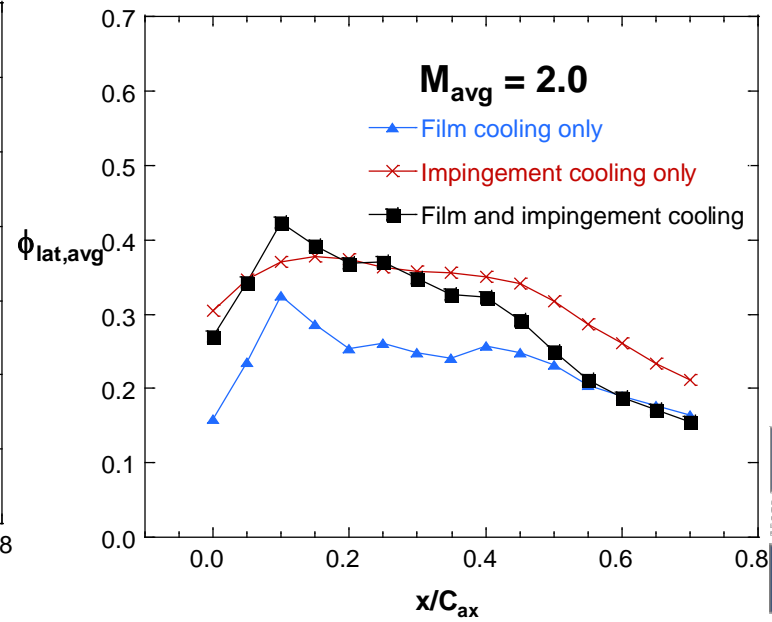
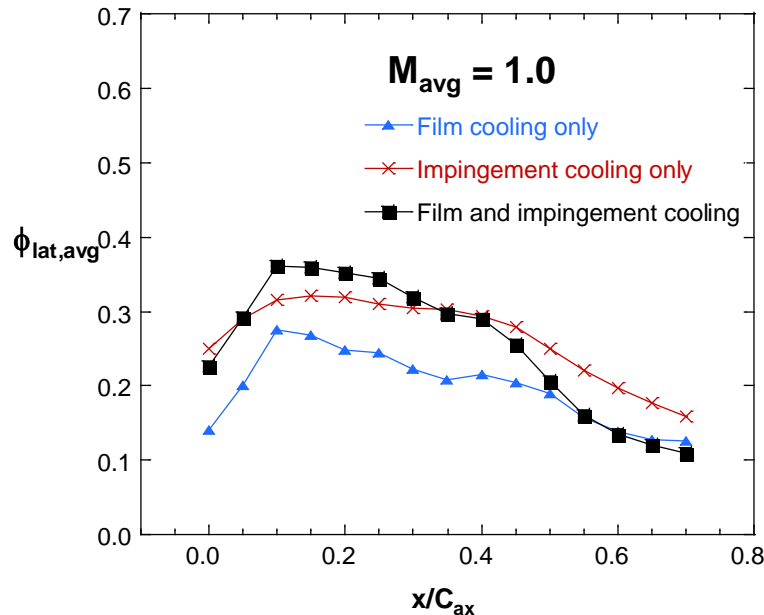
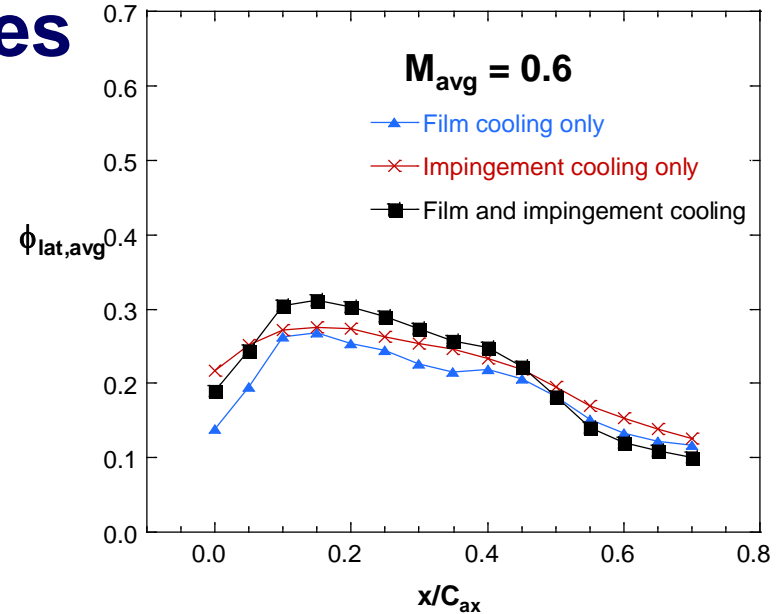
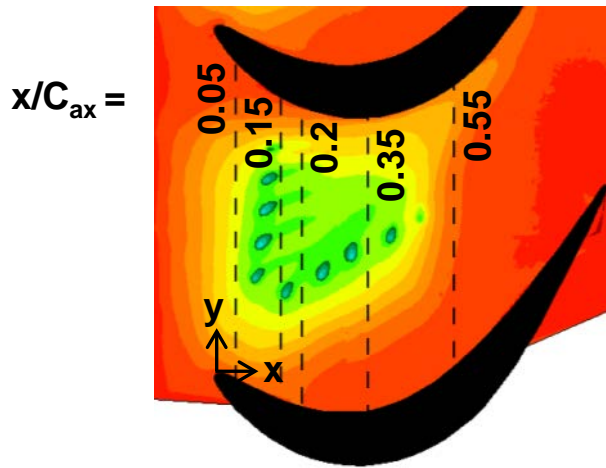


# Increasing blowing ratio improved the average $\phi$ of impingement cooling more than film cooling

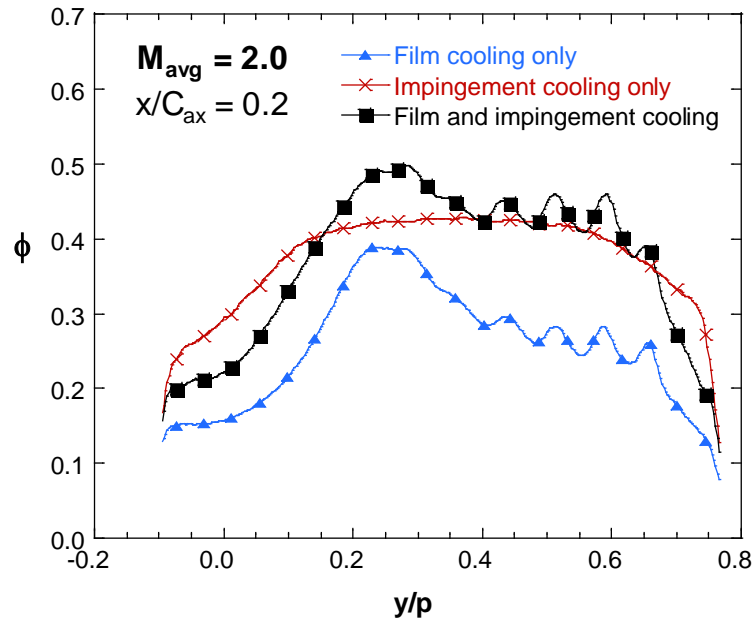
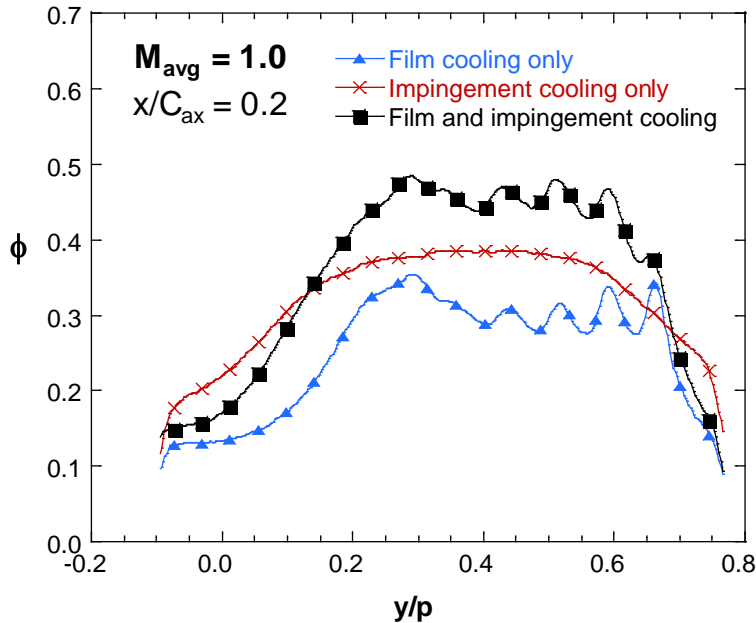
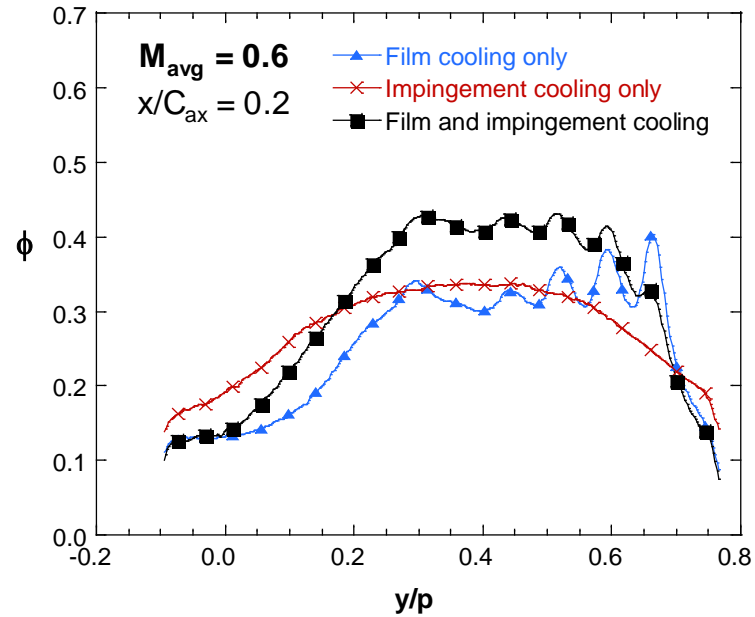
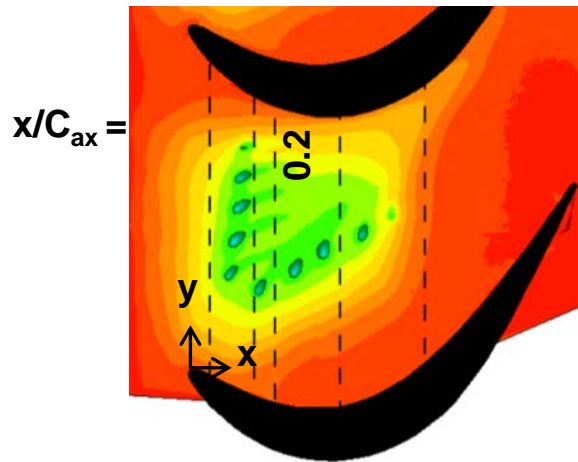




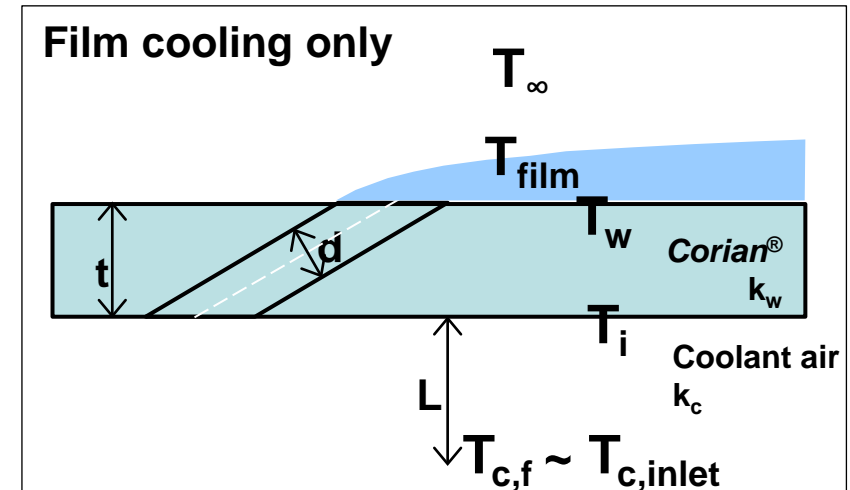
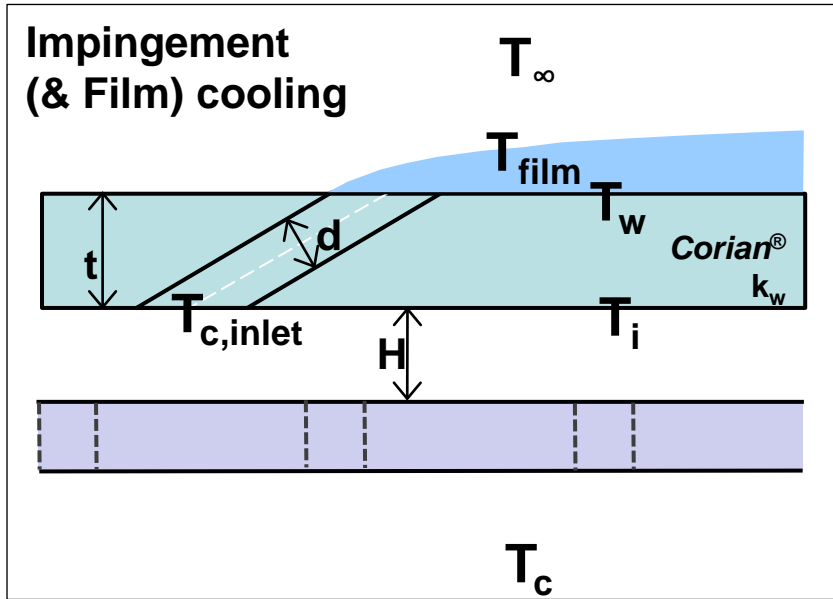
After  $x/C_{ax} \sim 0.5$ ,  $\phi$  is higher for impingement only than for both because the impingement jets are free to spread with no film holes



# At $x/C_{ax} = 0.2$ , the film cooling jets can be seen as well as the increase in $\phi$ from the impingement



# Applying a 1-D analysis, we estimated $\phi$ from the results from impingement and film alone



Impingement & film cooling,  $\phi_{calc}$ :

$$q = \frac{T_{film} - T_i}{\frac{1}{h_\infty} + \frac{t}{k_w}} = h_\infty (T_{film} - T_w)$$

Impingement cooling only,  $\phi_o$ :

$$q_o = \frac{k_w}{t} (T_w - T_i) = h_\infty (T_\infty - T_w)$$

$$Q_o = \sum q_o A = \dot{m}_c c_p (T_{c,inlet} - T_c)$$

Film cooling only,  $\phi_f$ :

$$q_f = \frac{T_{film} - T_{c,f}}{\frac{1}{h_\infty} + \frac{t}{k_w} + \frac{L}{k_c}} = h_\infty (T_{film} - T_w)$$

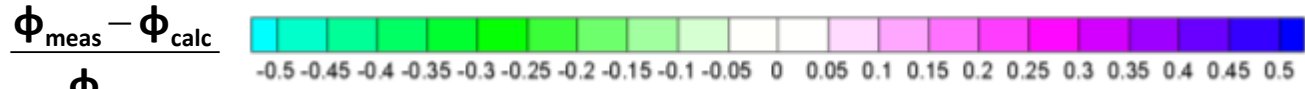
$$\phi_{calc} = \phi_o + \left( \frac{Bi}{1 + Bi} \right) \left\{ 1 - \frac{Q_o}{\dot{m}_c c_p (T_\infty - T_c)} \right\} \left[ \phi_f - \left( \frac{(1 - \phi_f) k_w k_c}{h_\infty (k_w L - k_c t)} \right) \right]$$

$$\phi_f = \frac{T_\infty - T_w}{T_\infty - T_{c,f}}$$

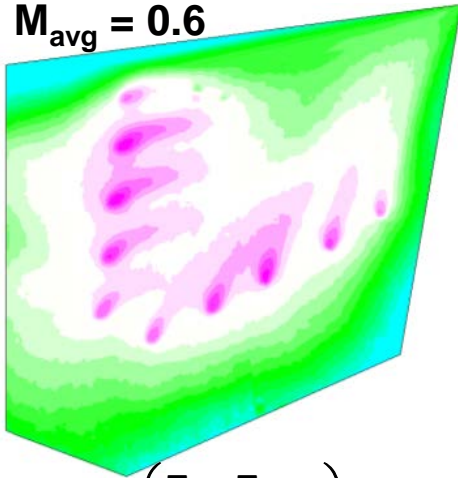
$$\phi_o = \frac{T_\infty - T_w}{T_\infty - T_c}$$

# The relative difference between predicted and measured $\phi$ is $< 5\%$ for a large portion of $M = 0.6, 1.0$

Contours of relative difference

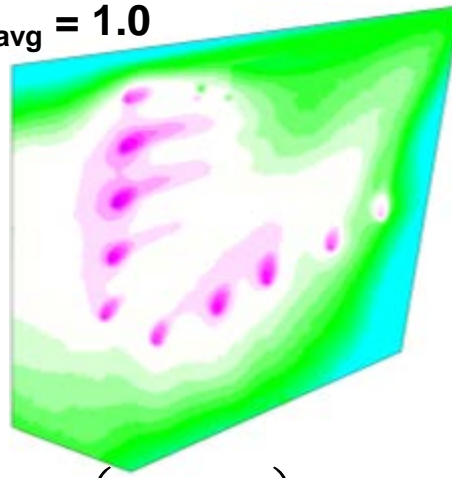


$M_{\text{avg}} = 0.6$



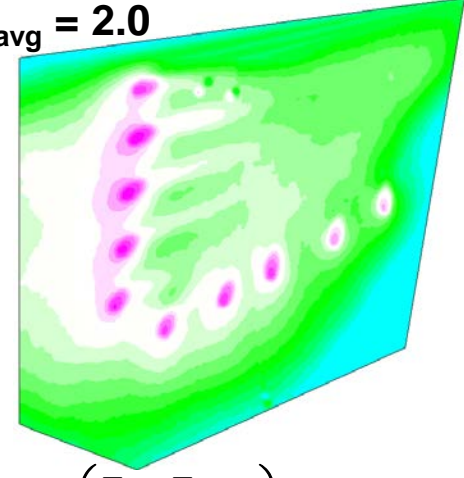
$$\left( \frac{T_{\infty} - T_{c,\text{inlet}}}{T_{\infty} - T_c} \right) = 0.75$$

$M_{\text{avg}} = 1.0$

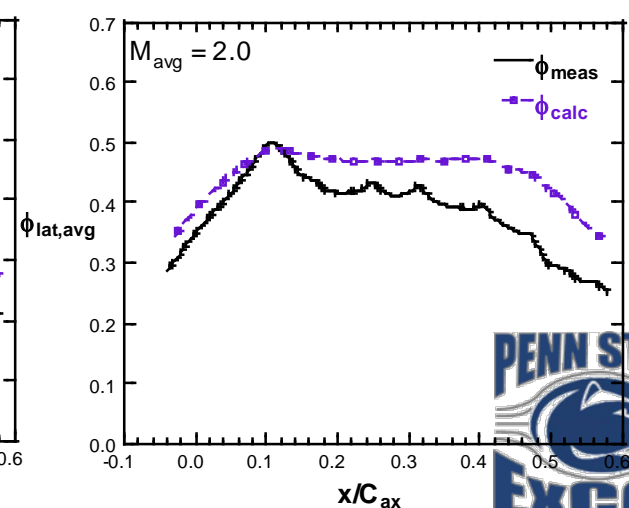
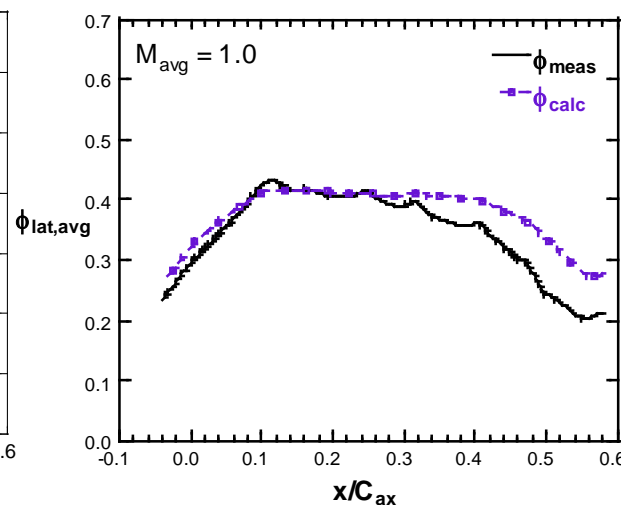
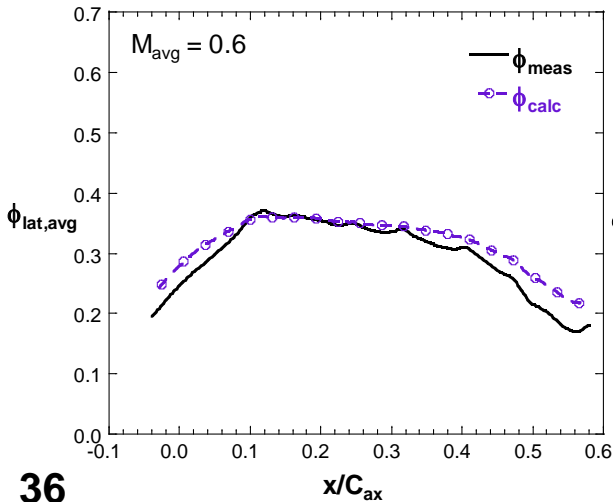


$$\left( \frac{T_{\infty} - T_{c,\text{inlet}}}{T_{\infty} - T_c} \right) = 0.82$$

$M_{\text{avg}} = 2.0$

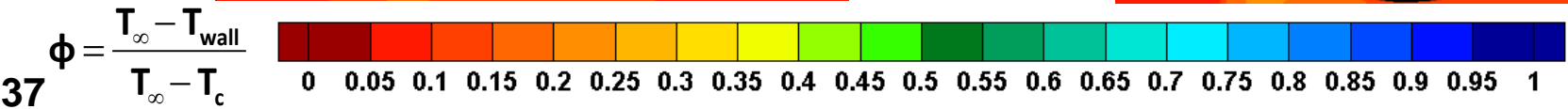
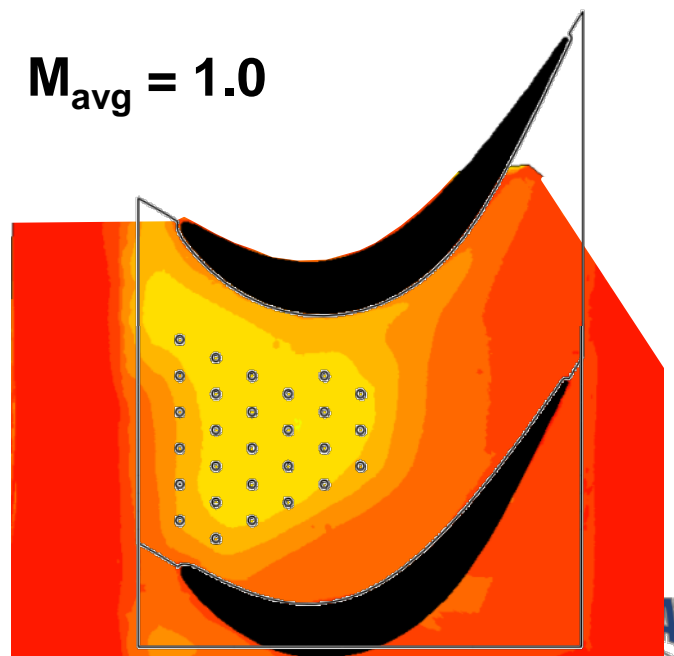
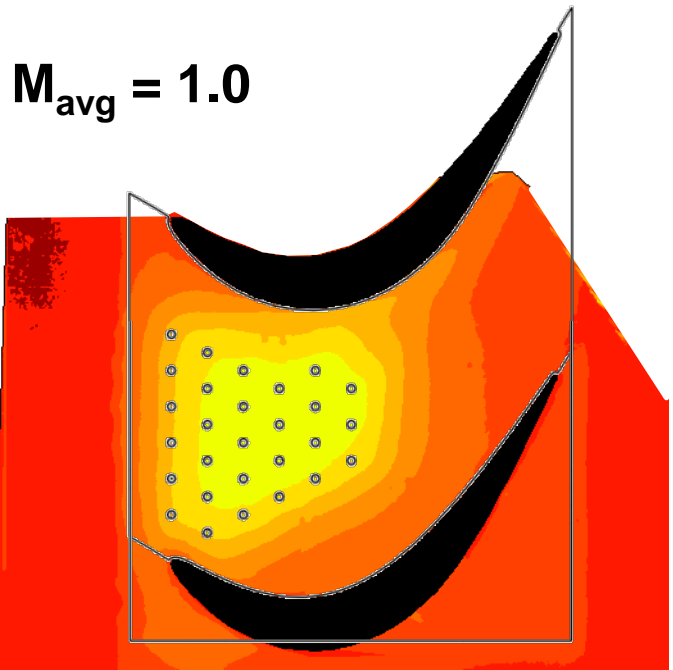
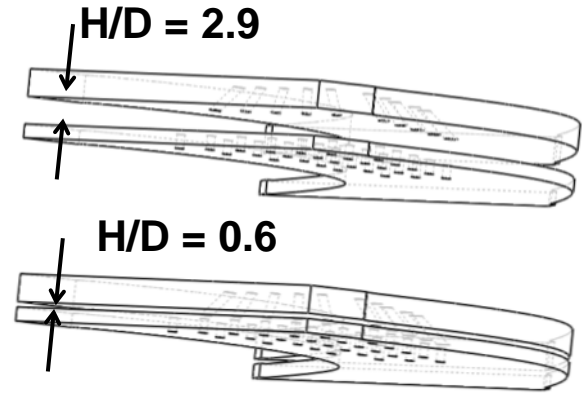


$$\left( \frac{T_{\infty} - T_{c,\text{inlet}}}{T_{\infty} - T_c} \right) = 0.88$$

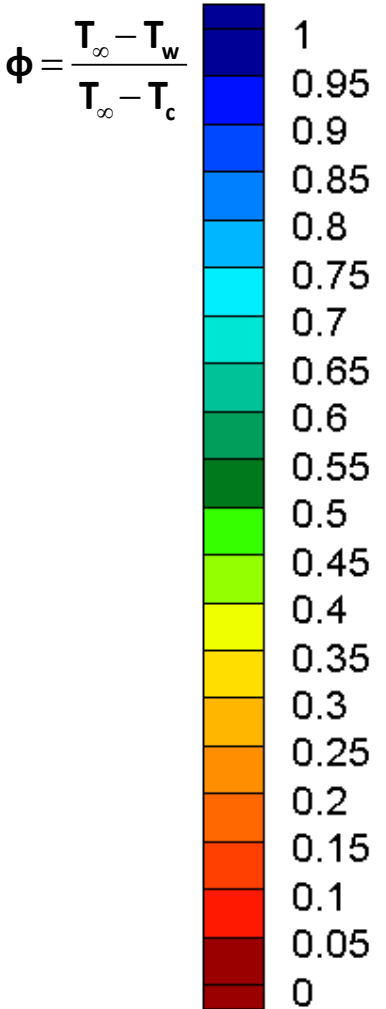
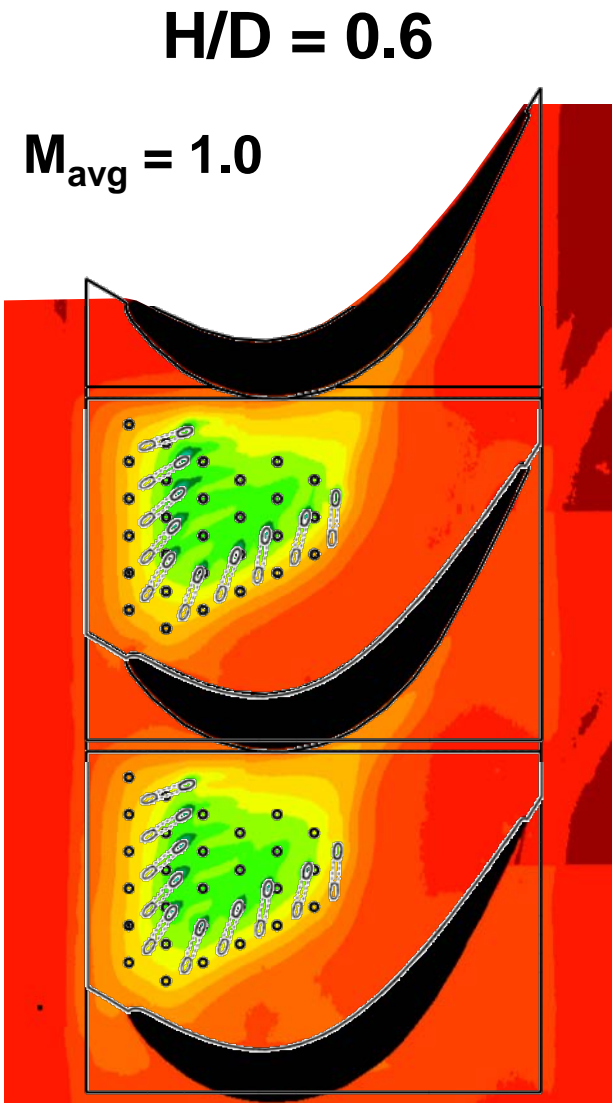
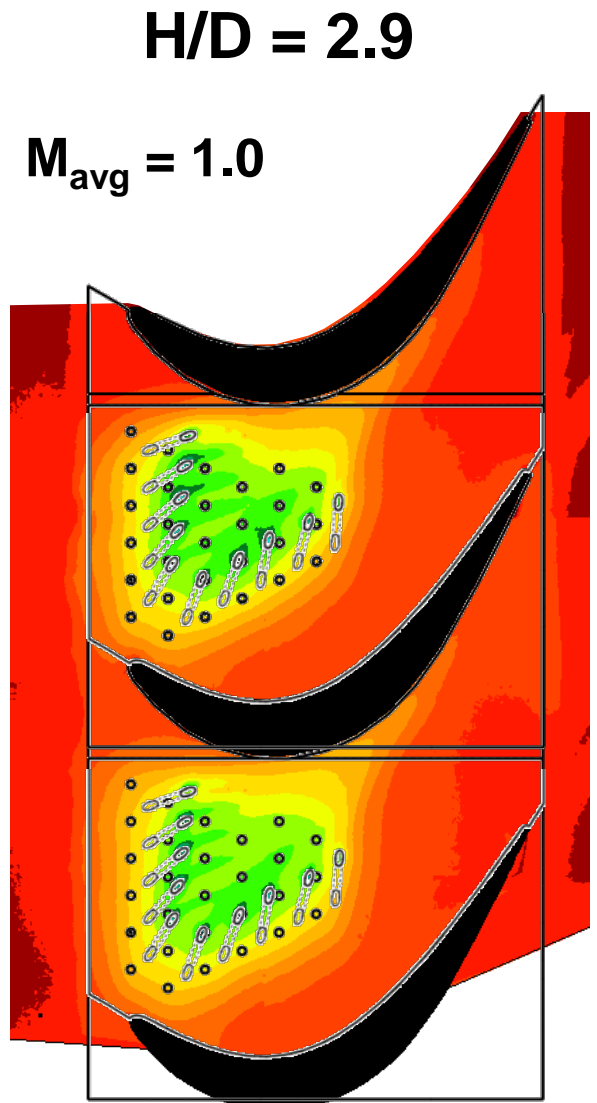


# Reducing H/D to 0.6 changed $\phi$ shape for impingement only contours, due to higher average $h_i$

Plenum	H/D (imping.)	$M_{avg}$	$l_{avg}$	$h_{\infty}/h_i$
film + impingement	0.6	2.0	3.50	0.5-1.1
		1.0	0.94	0.7-1.6
impingement	0.6	2.0	3.50	0.4-0.8
		1.0	0.94	0.5-1.2

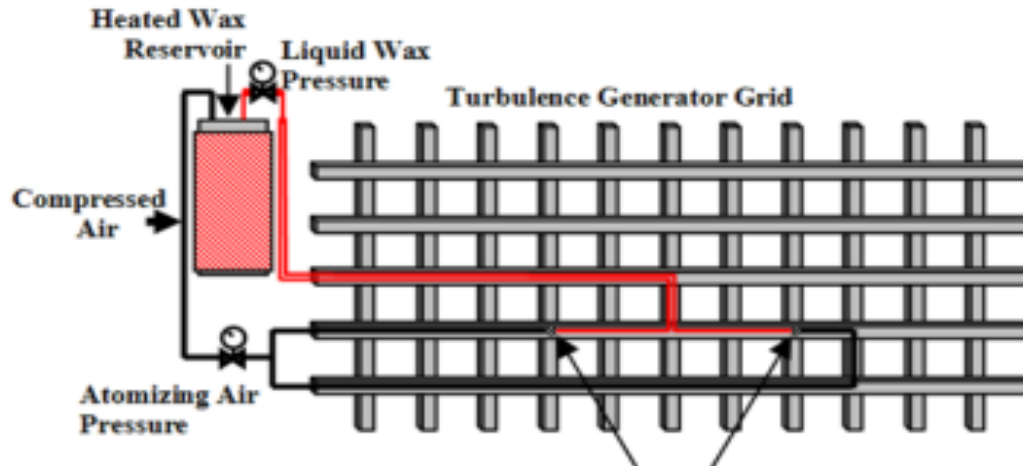


# But with film and impingement, there was not much effect on $\phi$ when H/D was changed to 0.6

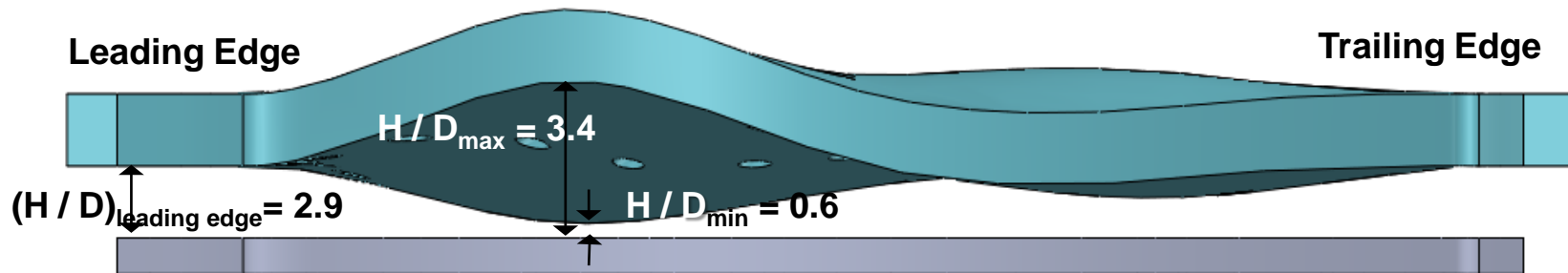


# Next we will simulate deposition with wax, and test a contoured endwall

Measure overall effectiveness with wax deposition



Examine effectiveness and deposition results with endwall contouring





# Conclusions

**Overall cooling effectiveness when using combined TBC and film cooling is dominated by the cooling effects of TBC**

**Deposits of contaminants significantly degraded the film effectiveness of realistic trenches, but had negligible effect on the overall effectiveness**

**Overall effectiveness measurements demonstrated the influence of conduction and convective cooling within the film cooling holes**

**Increasing blowing ratio resulted in a larger average increase in overall effectiveness for impingement cooling than film cooling**





# *Questions?*

